

Fisheries data integration: a spatio-temporal SDM framework with the LGNB model

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Course agenda

- **Fisheries data integration**
 - Theoretical concepts
 - Developing the LGNB-SDM
 - Case study application

BREAK (10 min?)

- **Introduction to Template Model Builder (TMB)**
 - Basics of MLE
 - Toy exercise
 - Shifting gears to TMB

BREAK (10 min?)

- **LGNB-SDM tutorial**



1

Fisheries data integration

Theoretical concepts



Fisheries data integration

How do we know where and how many fish are out there?

Scientific surveys
(Fishery-independent)

Commercial fisheries
(Fishery-dependent)

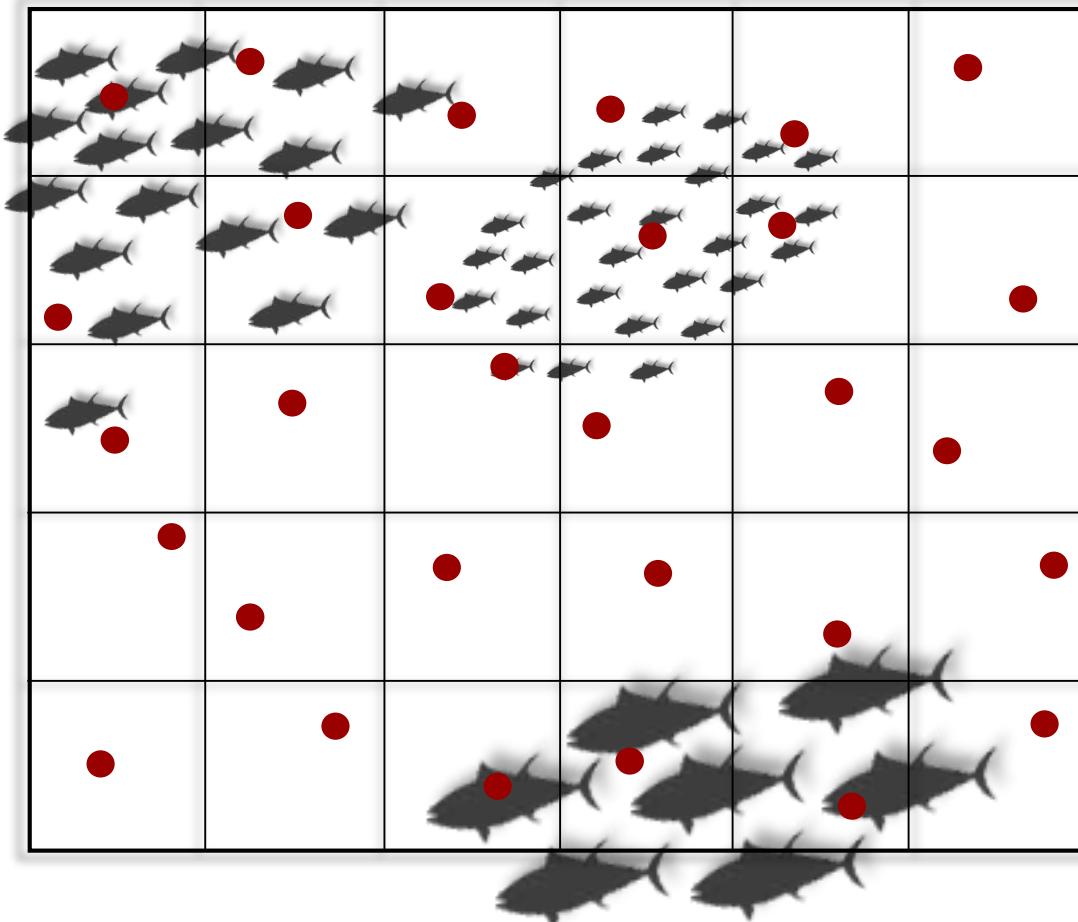


Fisheries data integration

How do we know where and how many fish are out there?

Scientific surveys (Fishery-independent)

- **Sampling design**: systematic and/or stratified random sampling design; standardized fishing gear and fishing effort
- **Spatial coverage**: wide
- **Temporal coverage**: narrow
- **Costs per unit observation**: \$\$\$

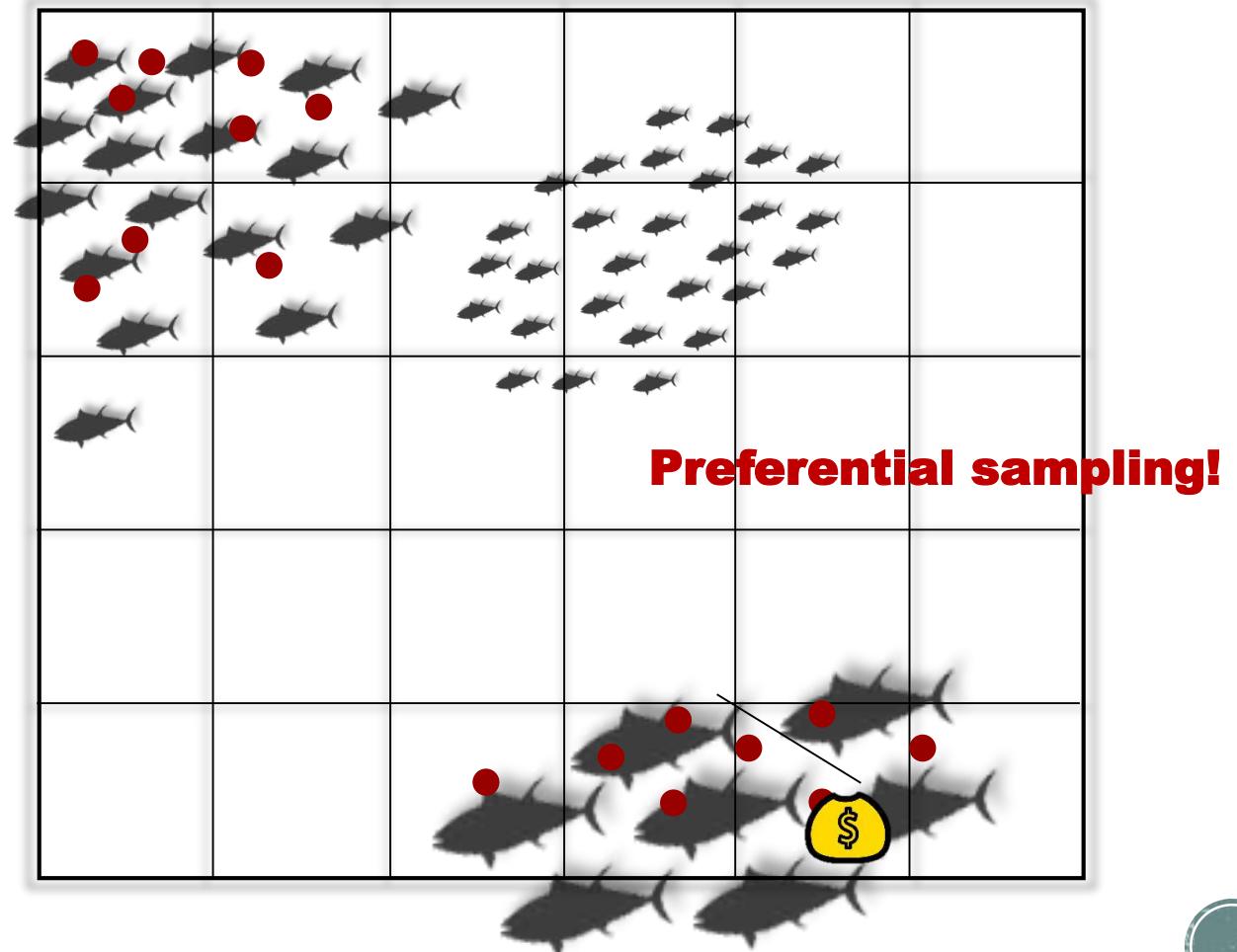


Fisheries data integration

How do we know where and how many fish are out there?

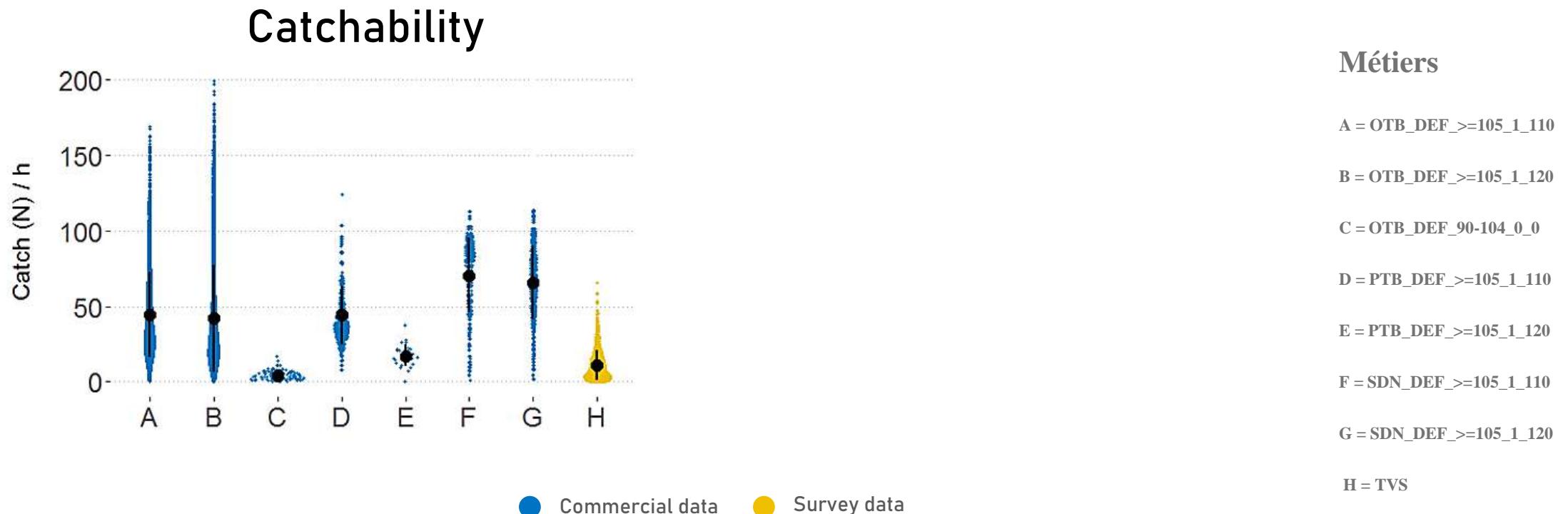
Commercial fisheries (Fishery-dependent)

- Sampling design: none; multiple fishing gears and fishing efforts
- Spatial coverage: narrow
- Temporal coverage: wide
- Costs per unit observation: \$



Fisheries data integration

How do we know where and how many fish are out there?



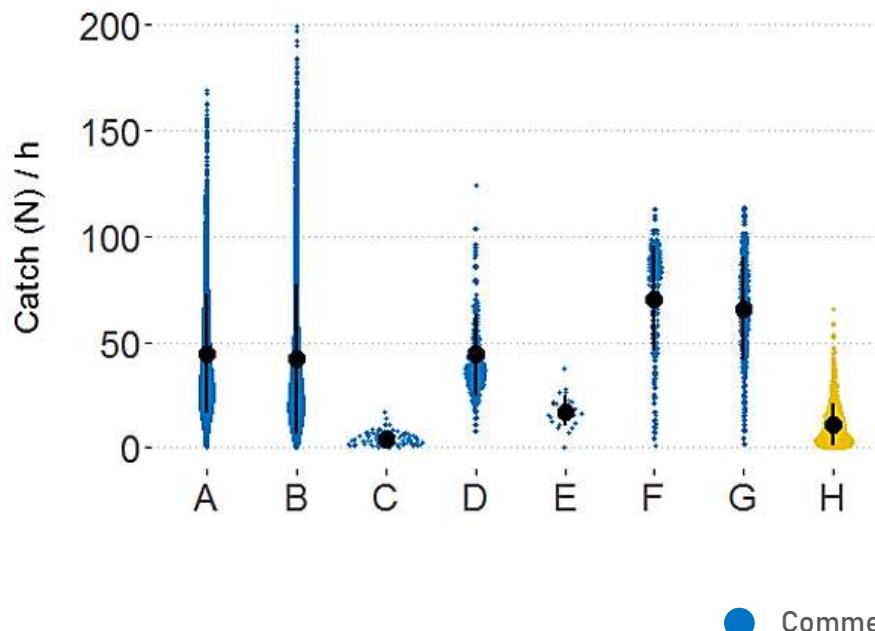
Examples from the Kattegat & western Baltic cod trawl fishery and Baltic International Trawl Surveys (BITS)



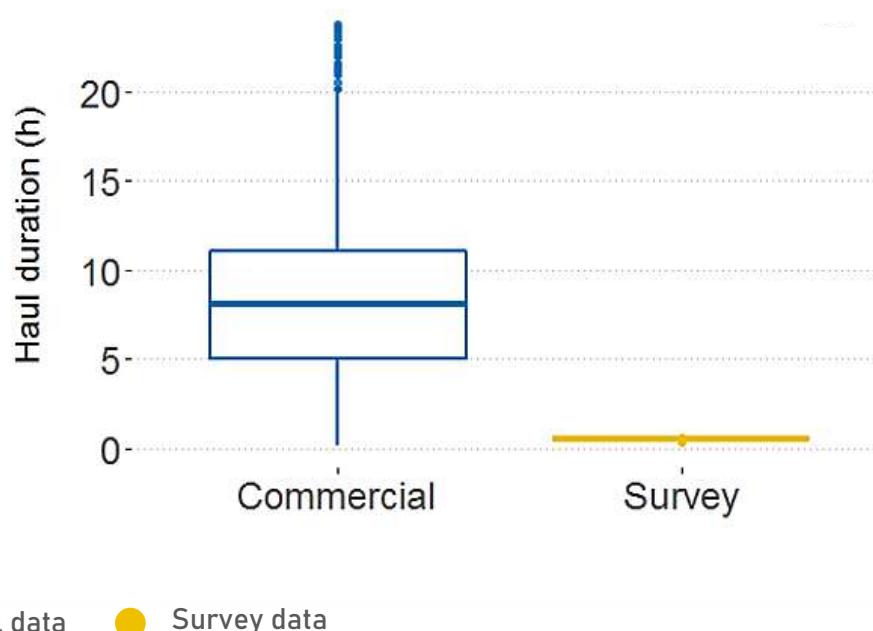
Fisheries data integration

How do we know where and how many fish are out there?

Catchability



Fishing (sampling) effort



Métiers

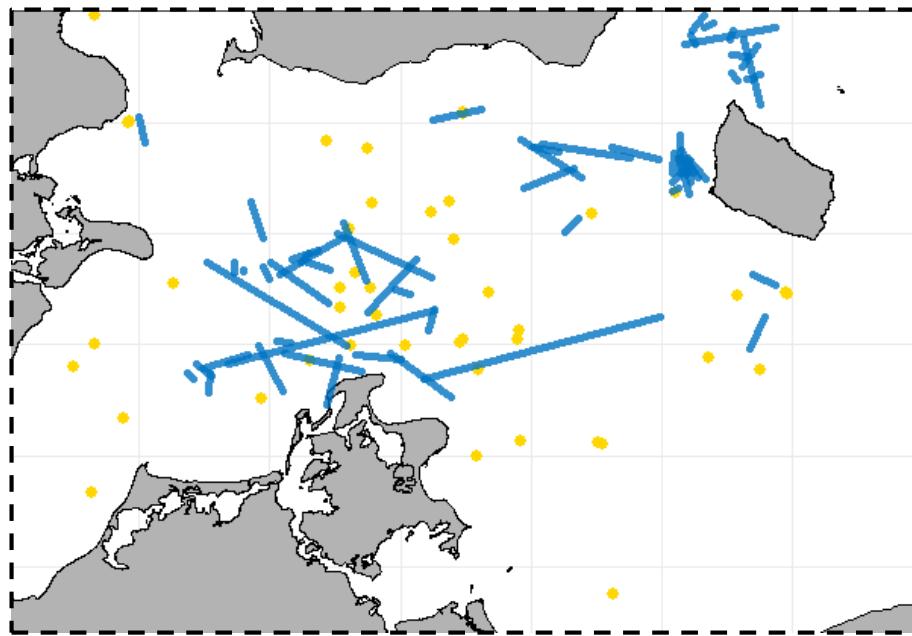
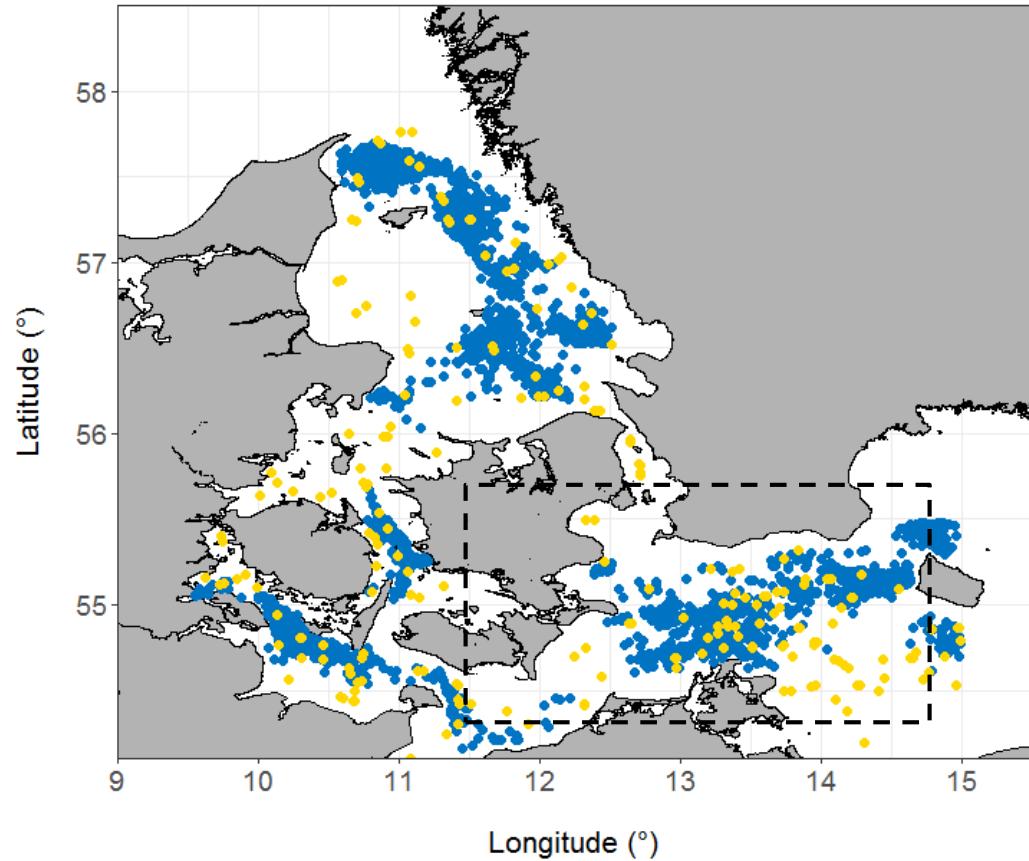
- A = OTB_DEF_>=105_1_110
- B = OTB_DEF_>=105_1_120
- C = OTB_DEF_90-104_0_0
- D = PTB_DEF_>=105_1_110
- E = PTB_DEF_>=105_1_120
- F = SDN_DEF_>=105_1_110
- G = SDN_DEF_>=105_1_120
- H = TVS

Examples from the Kattegat & western Baltic cod trawl fishery and Baltic International Trawl Surveys (BITS)



Fisheries data integration

How do we know where and how many fish are out there?

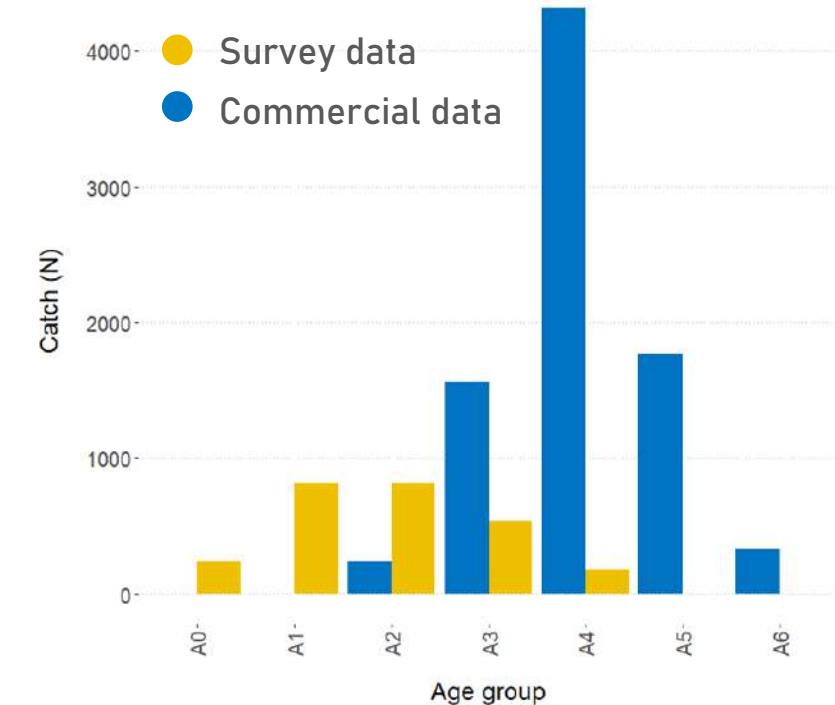
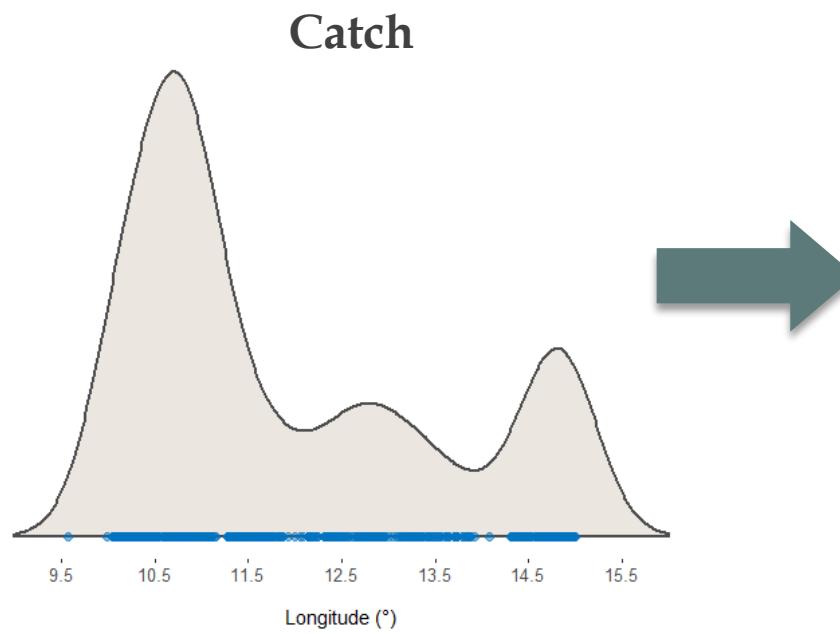
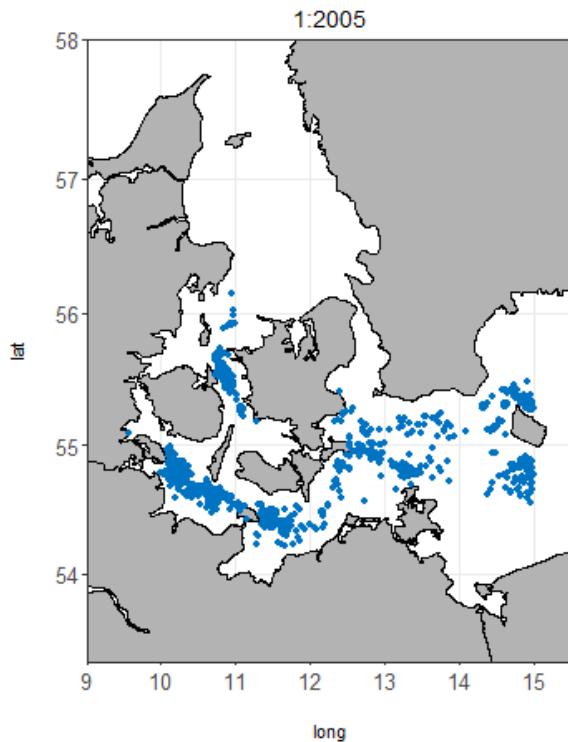


Examples from the Kattegat & western Baltic cod trawl fishery and Baltic International Trawl Surveys (BITS)



Fisheries data integration

How do we know where and how many fish are out there?



Examples from the Kattegat & western Baltic cod trawl fishery and Baltic International Trawl Surveys (BITS)



Fisheries data integration

How do we know where and how many fish are out there?

Rapid worldwide depletion of predatory fish communities

Ransom A. Myers  & Boris Worm

Nature 423, 280–283(2003) | Cite this article

4202 Accesses | 1825 Citations | 207 Altmetric | Metrics

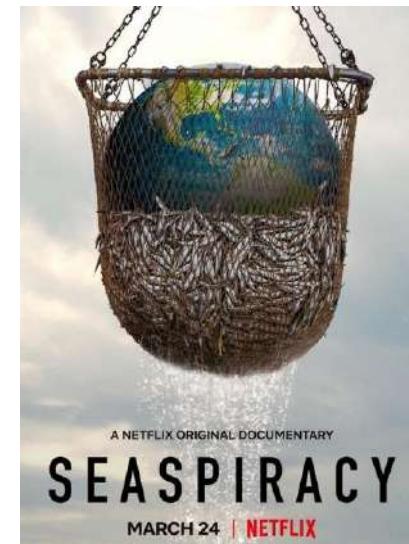
RESEARCH ARTICLE

Impacts of Biodiversity Loss on Ocean Ecosystem Services

Boris Worm^{1,*}, Edward B. Barbier², Nicola Beaumont³, J. Emmett Duffy⁴, Carl Folke^{5,6}, Benjamin S. Halpern⁷, Jeremy ...

+ See all authors and affiliations

Science 03 Nov 2006:
Vol. 314, Issue 5800, pp. 787-790
DOI: 10.1126/science.1132294



Fisheries data integration

How do we know where and how many fish are out there?

The Pauly-Hilborn dilemma



Hilborn: <https://sustainablefisheries-uw.org/staff/>

Pauly: <https://europe.oceana.org/en/about-oceana/people-partners/board-directors/dr-daniel-pauly>



Fisheries data integration

How do we know where and how many fish are out there?

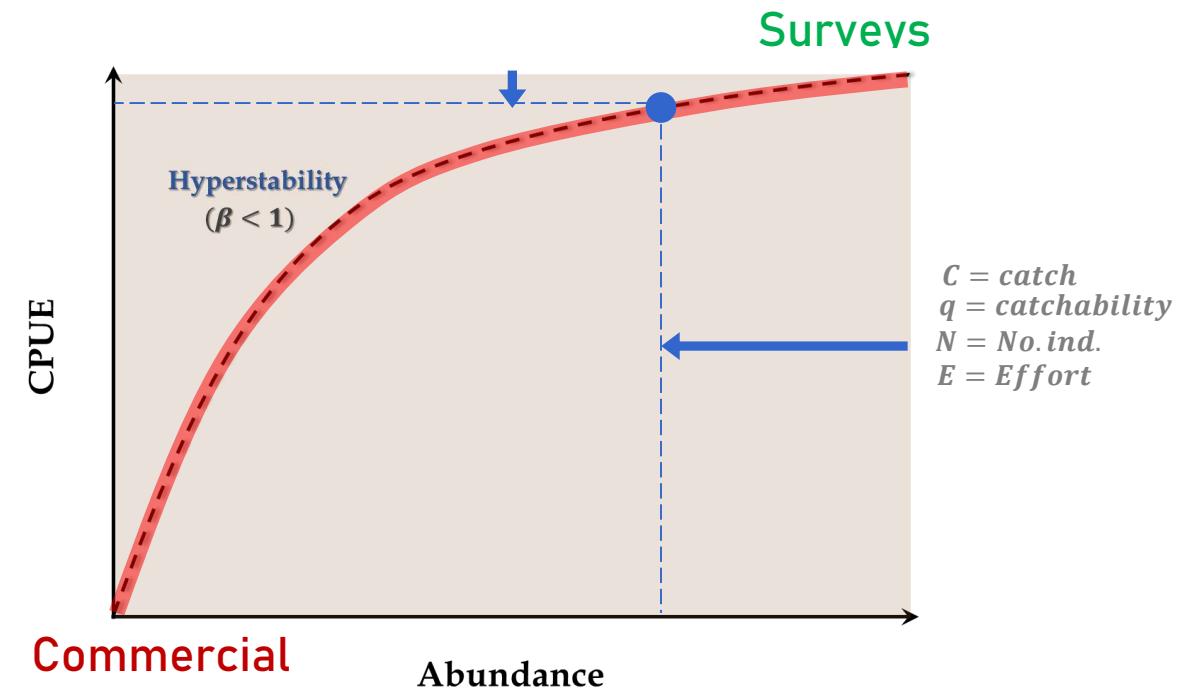
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$$C = qNE^\beta$$



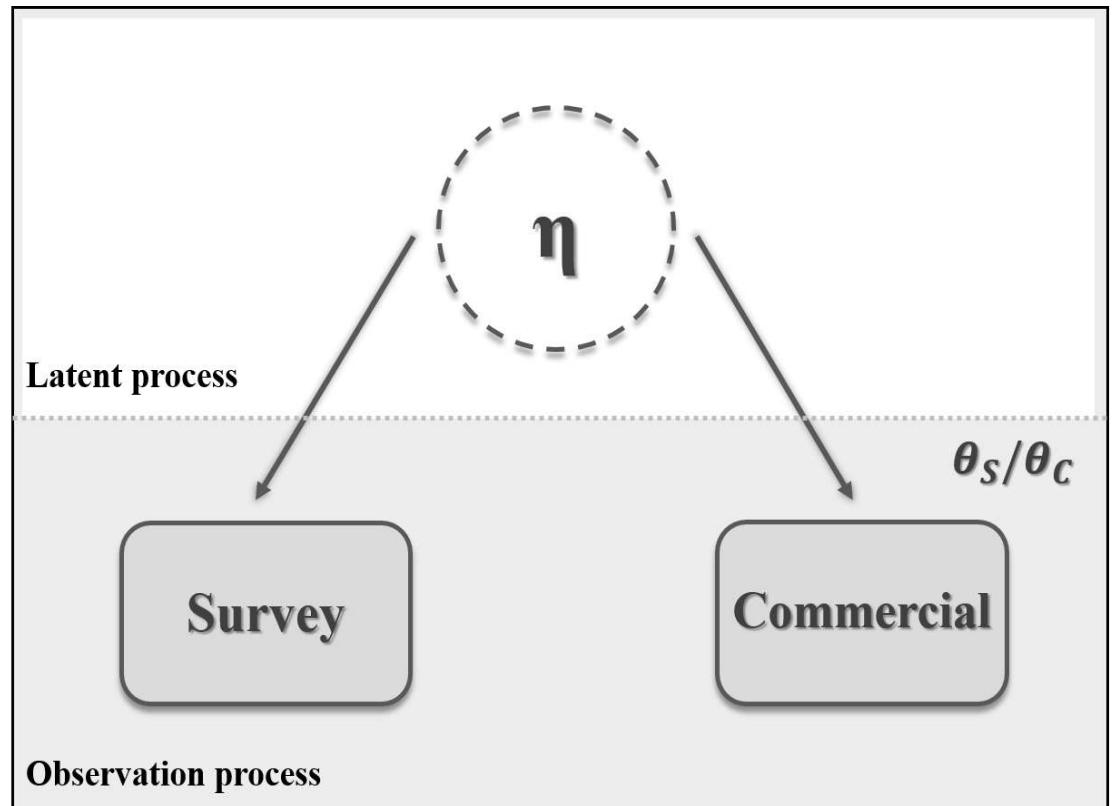
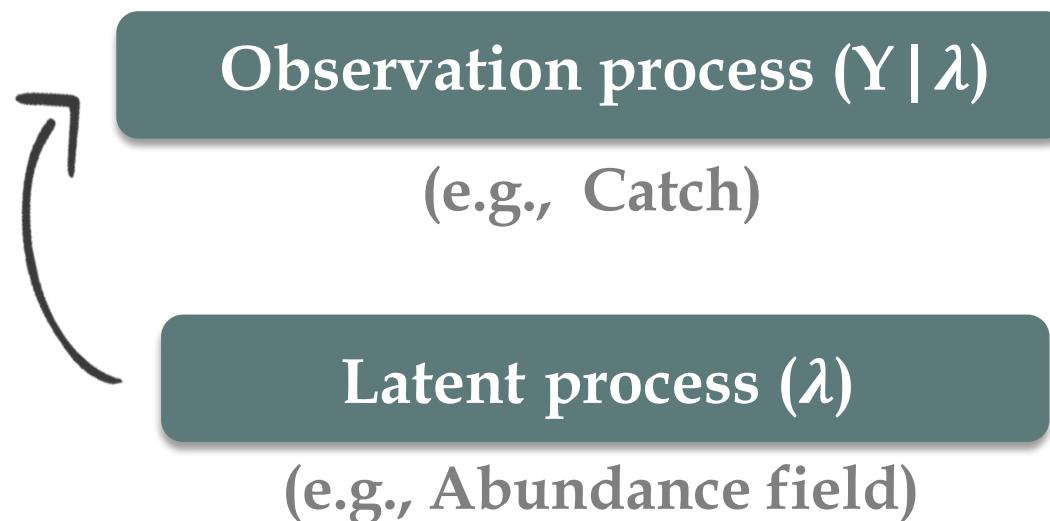
Developing the LGNB model



Fisheries data integration

How can we tackle these differences?

Hierarchical models (point-process models)



Fisheries data integration

How can we tackle these differences?

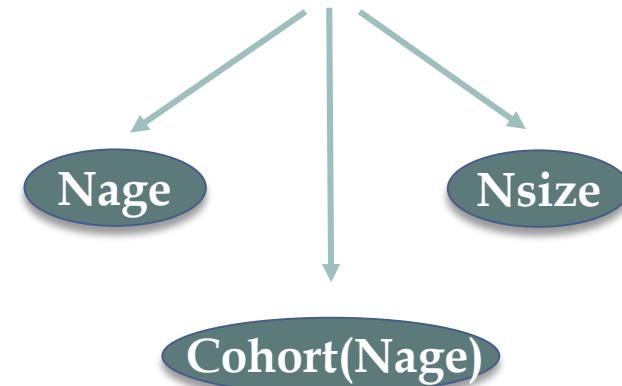
The LGNB model

Observation process ($Y | \lambda$)

$$Y(s, t) \sim NB(\lambda(s, t), \phi)$$

(Log-Gaussian Negative Binomial
process - LGNB)

LGNB model can be applied to
any type of count data



Fisheries data integration

How can we tackle these differences?

The LGNB model

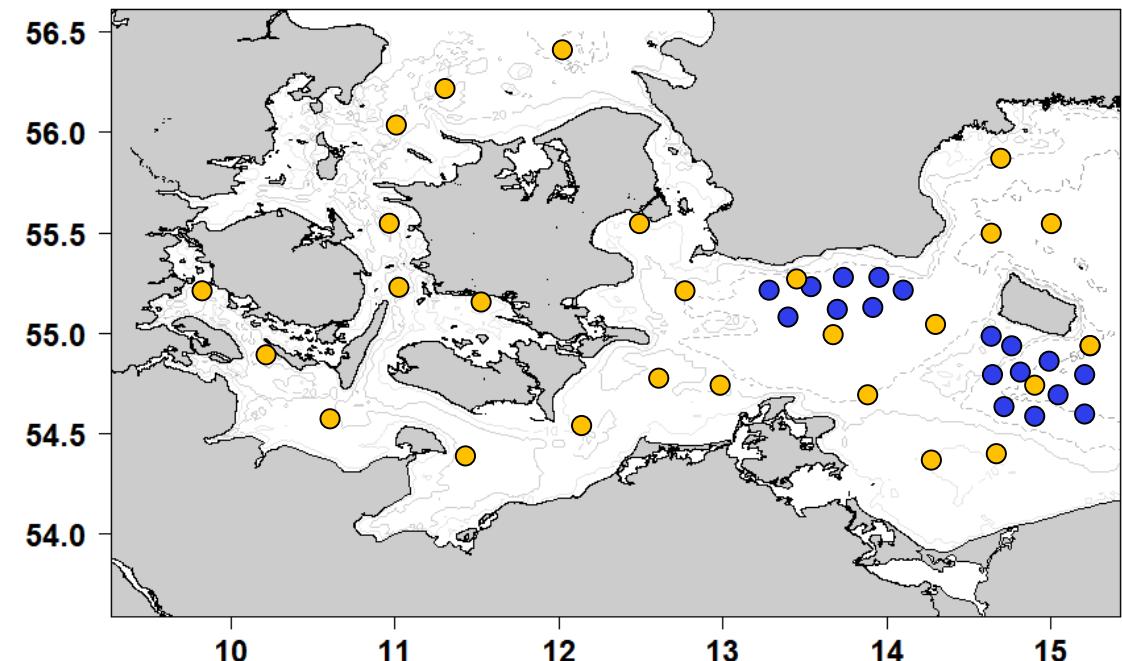
Observation process ($Y | \lambda$)

Survey catch ($Y_{sur} | \lambda$)

Commercial catch ($Y_{com} | \lambda$)

$$\log(\mu_i^{\text{SUR}}) = \log(\lambda(s_i, t_i)) + \sum_{k=1}^{K_{\text{SUR}}} \beta_k^{\text{SUR}} X_{k,i}^{\text{SUR}} + \gamma_i$$

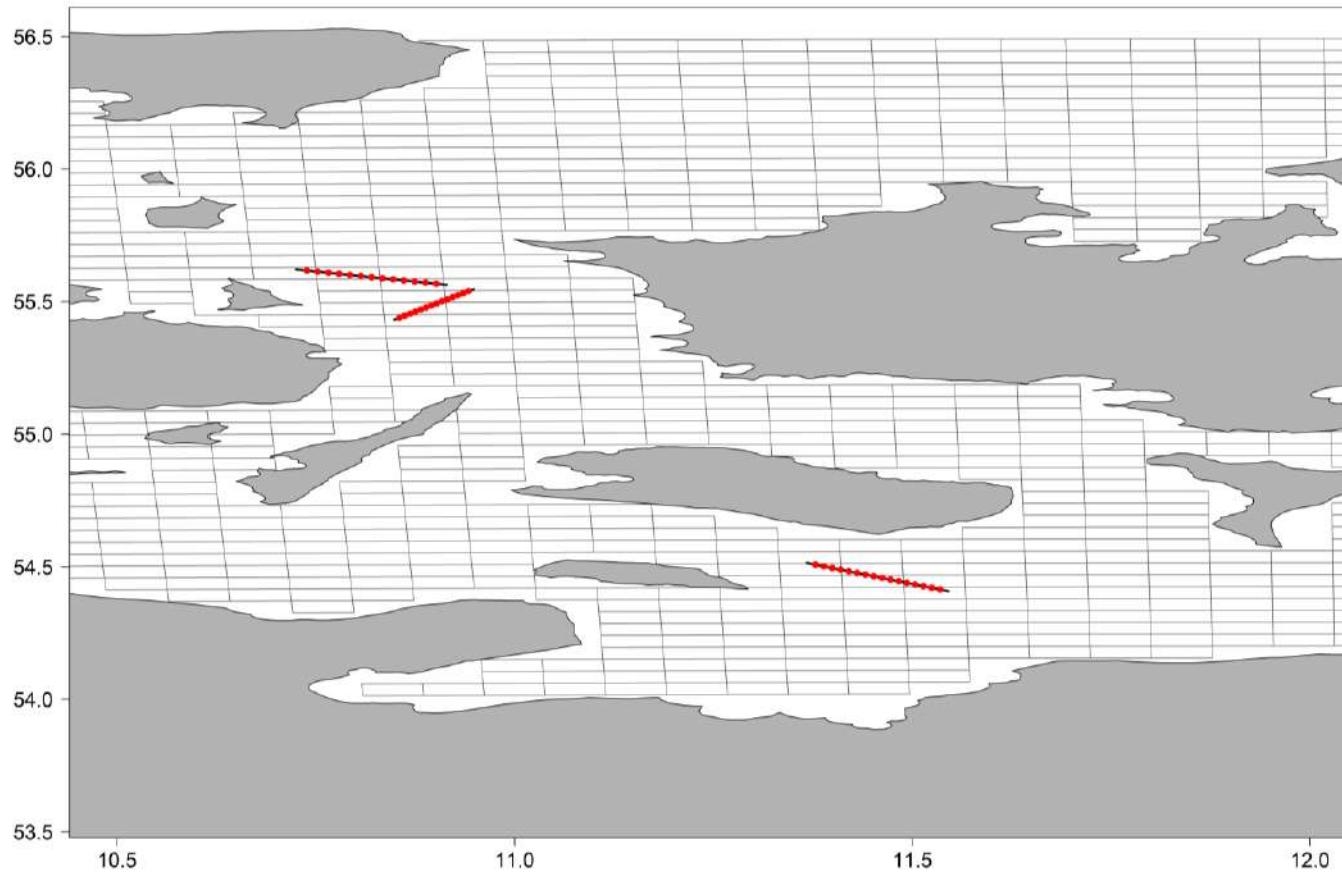
$$\log(\mu_i^{\text{COM}}) = \log(\lambda(s_i, t_i)) + \sum_{k=1}^{K_{\text{COM}}} \beta_k^{\text{COM}} X_{k,i}^{\text{COM}}$$



Fisheries data integration

How can we tackle these differences?

The LGNB model



Haul discretization

$$\log(\mu_i^{\text{COM}}) = \log(\lambda(s_i, t_i)) + \sum_{k=1}^{K_{\text{COM}}} \beta_k^{\text{COM}} X_{k,i}^{\text{COM}}$$

$$E(Y_j^{\text{COM}} | \lambda) = \sum_{i \in I_j} \mu_i^{\text{COM}}$$

$j = \text{transect}$



Fisheries data integration

How can we tackle these differences?

The LGNB model

$$\log(\mu_i^{\text{COM}}) = \log(\lambda(s_i, t_i)) + \sum_{k=1}^{K_{\text{COM}}} \beta_k^{\text{COM}} X_{k,i}^{\text{COM}}$$

Preferential sampling

$$P(V_i = v_i | \eta) = \frac{\lambda(s_i, t_i)^{\alpha_{f_i}}}{\sum_{s \in G_{f_i}} \lambda(s, t_i)^{\alpha_{f_i}}}$$

v = sampling position

G = spatial grid

f = sampling support area

$\alpha = 0$: No PS

$\alpha > 0$: + PS (high density areas)

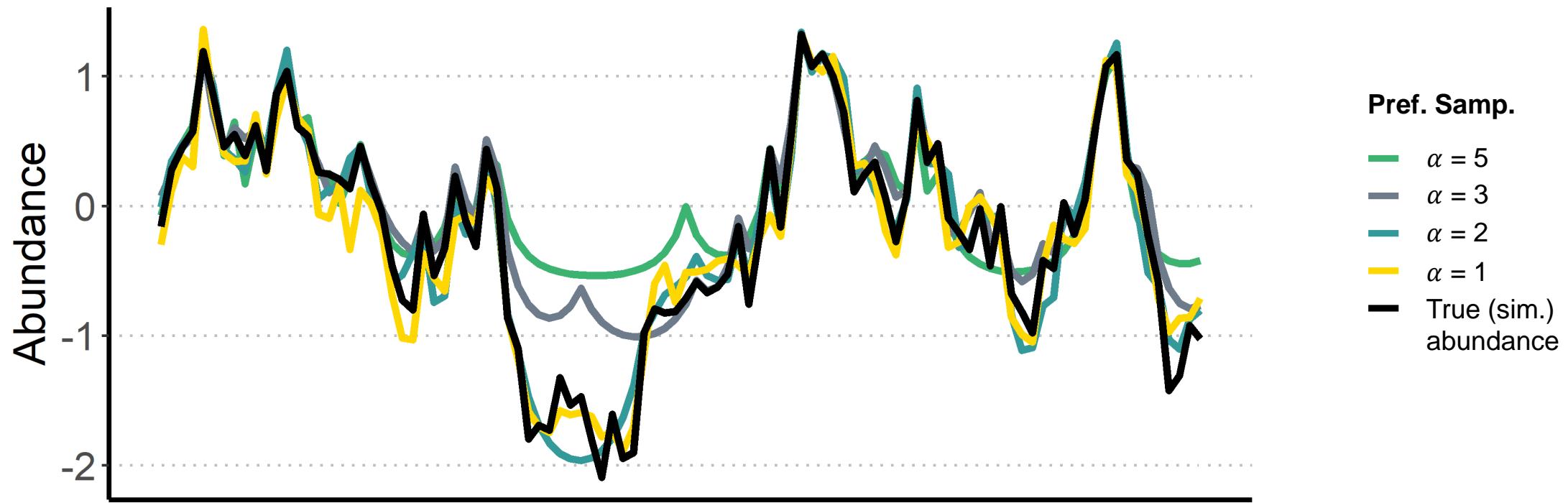
$\alpha < 0$: - PS (low density areas)



Fisheries data integration

How can we tackle these differences?

The LGNB model



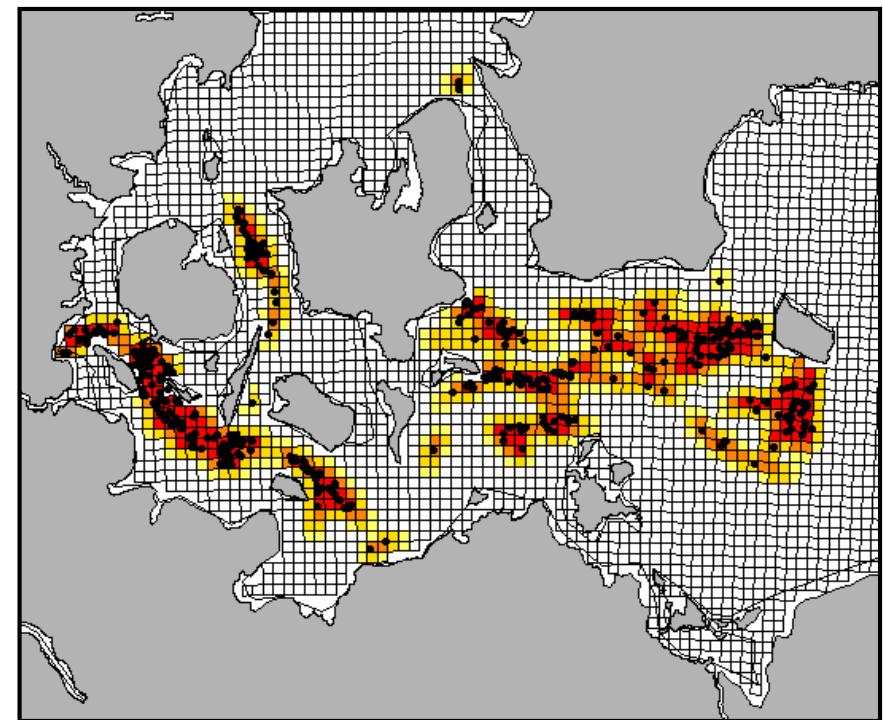
Fisheries data integration

How can we tackle these differences?

The LGNB model

$$P(V_i = v_i | \eta) = \frac{\lambda(s_i, t_i)^{\alpha_{f_i}}}{\sum_{s \in G_{f_i}} \lambda(s, t_i)^{\alpha_{f_i}}}$$

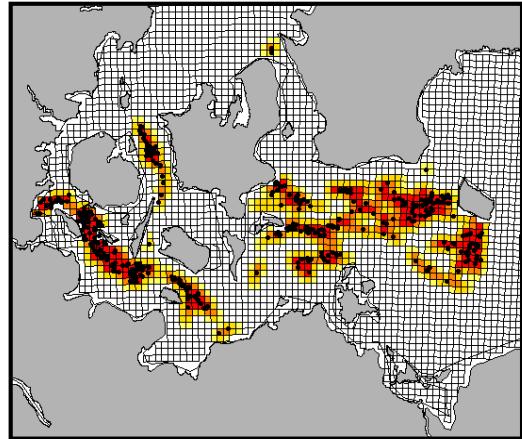
Sampling support area (f)



Fisheries data integration

How can we tackle these differences?

The LGNB model



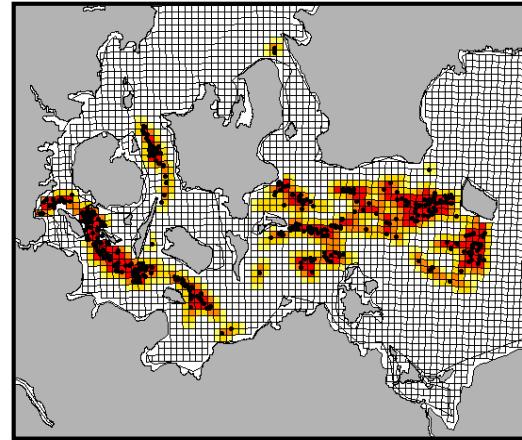
- **Cases where no PS occur**
 - No α -parameter is estimated (e.g., survey data) -> No sampling support area



Fisheries data integration

How can we tackle these differences?

The LGNB model



- **Cases where no PS occur**
 - No α -parameter is estimated (e.g., survey data) -> No sampling support area

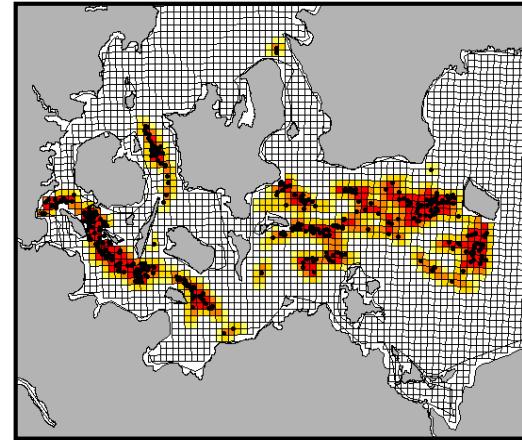
- **Cases where PS occur without temporally varying fishing effort**
 - Only one α -parameter is estimated -> Single sampling support area



Fisheries data integration

How can we tackle these differences?

The LGNB model



- **Cases where no PS occur**
 - No α -parameter is estimated (e.g., survey data) -> No sampling support area
- **Cases where PS occur without temporally varying fishing effort**
 - Only one α -parameter is estimated -> Single sampling support area
- **Cases where PS occur with temporally varying fishing effort***
 - Multiple α -parameters are estimated -> Multiple sampling support areas

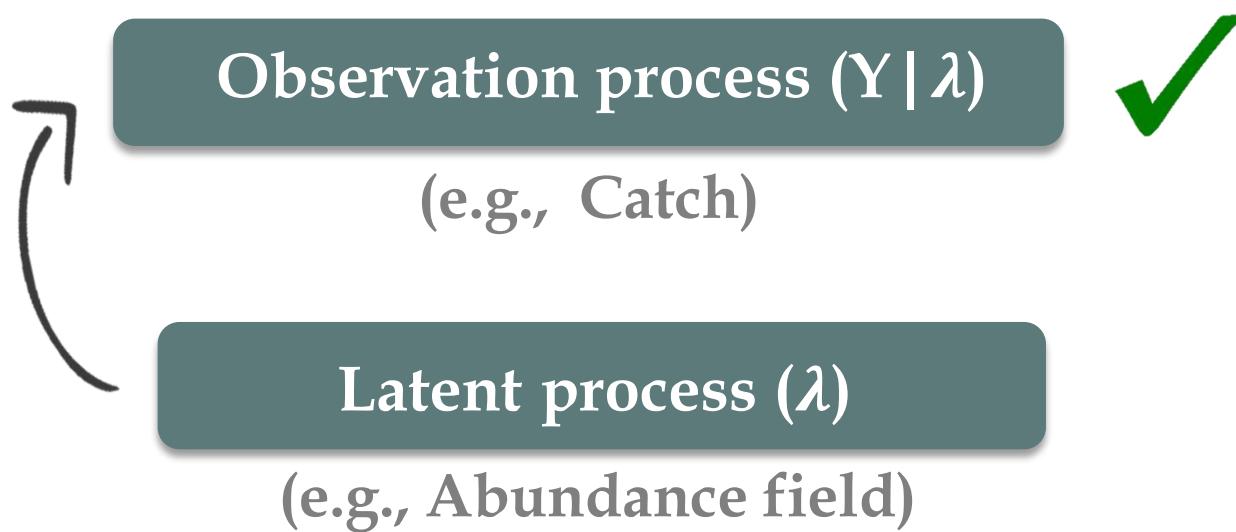
* Code implemented, but not yet tested



Fisheries data integration

How can we tackle these differences?

The LGNB model



Fisheries data integration

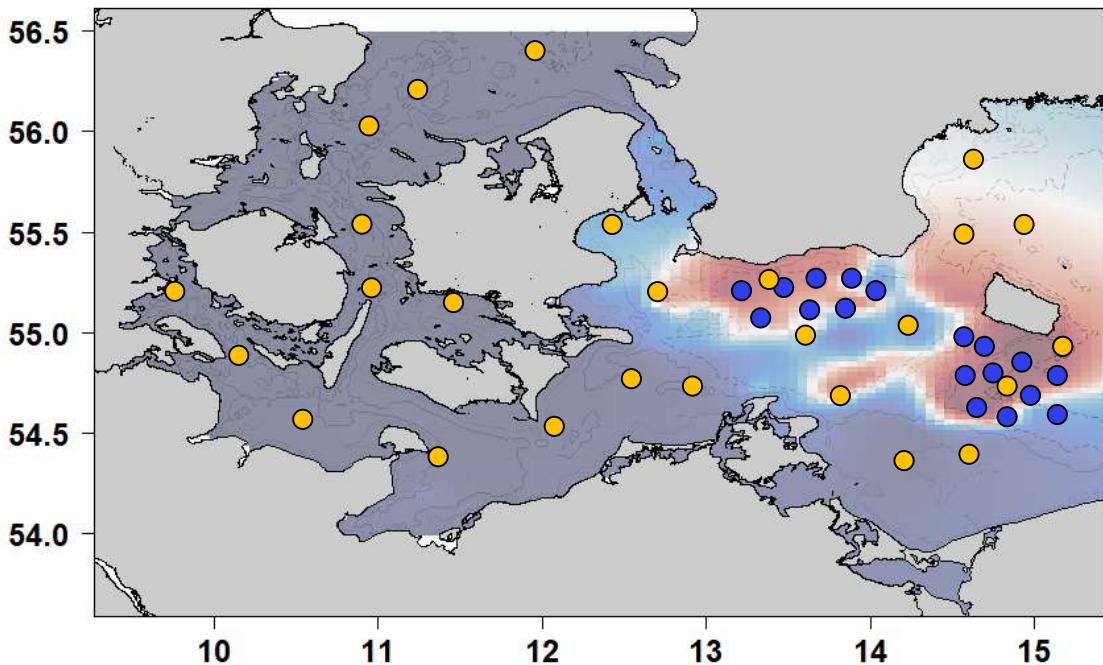
How can we tackle these differences?

The LGNB model

Latent process (λ)

(Abundance field)

$$\lambda(s, t) = \exp\left(\sum_{k=1}^K \beta_k X_k(s, t) + \xi(s, t)\right)$$



Fisheries data integration

How can we tackle these differences?

The LGNB model

$$(\xi(s, t)) \sim MVN(\mathbf{0}, \Sigma)$$

$$\sum = \Sigma_S \otimes \Sigma_T = \begin{pmatrix} s_{11} \Sigma_T & \cdots & s_{1n} \Sigma_T \\ \vdots & \ddots & \vdots \\ s_{n1} \Sigma_T & \cdots & s_{nn} \Sigma_T \end{pmatrix}$$

Separable covariance matrix



Fisheries data integration

How can we tackle these differences?

The LGNB model

Temporal correlation (AR1)

$$\Sigma_T(t_1, t_2) = \rho^{|t_1 - t_2|*}$$

- * t can be described by any desired time resolution (monthly, quarterly, yearly ...)



Fisheries data integration

How can we tackle these differences?

The LGNB model

Spatial correlation (CAR)

$$\Sigma_S = \Sigma^{-1} = Q_{ij} = \begin{cases} -\kappa, & \text{if cell } i \text{ neighbors cell } j \\ \kappa(m_i + \delta), & \text{if } i = j \\ 0, & \text{otherwise} \end{cases}$$

κ = scale

m_i = No. of neighbors of grid cell

δ = decorrelation

M = No. grid cells

H = Decorrelation range

h = Grid cell size

σ^2 = variance of GRF

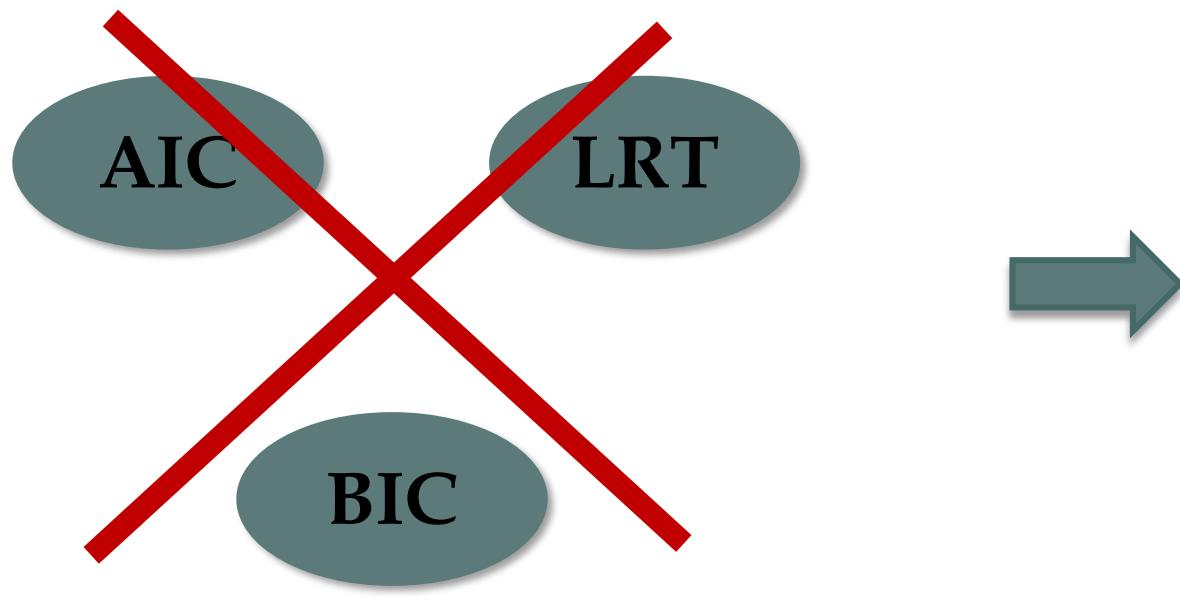


Fisheries data integration

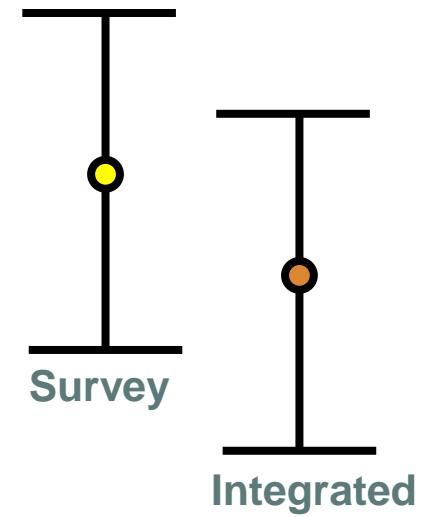
How can we tackle these differences?

The LGNB model

Validating the integrated LGNB-SDM



Confidence interval test



Fisheries data integration

How can we tackle these differences?

The LGNB model

Validating the integrated LGNB-SDM

Parameters

- 1.a Fit the survey model using the L_{SUR} equation and denote the estimates $\hat{\theta}^{(1)}$ and $\hat{\theta}_{SUR}^{(1)}$.



Fisheries data integration

How can we tackle these differences?

The LGNB model

Validating the integrated LGNB-SDM

Parameters

- 1.a Fit the survey model using the L_{SUR} equation and denote the estimates $\hat{\theta}^{(1)}$ and $\hat{\theta}_{SUR}^{(1)}$.
- 2.a Fit the integrated model using the L_{BOTH} equation and denote the estimates $\hat{\theta}^{(2)}$, $\hat{\theta}_{SUR}^{(2)}$ and $\hat{\theta}_{COM}^{(2)}$.



Fisheries data integration

How can we tackle these differences?

The LGNB model

Validating the integrated LGNB-SDM

Parameters

- 1.a Fit the survey model using the L_{SUR} equation and denote the estimates $\hat{\theta}^{(1)}$ and $\hat{\theta}_{SUR}^{(1)}$.
- 2.a Fit the integrated model using the L_{BOTH} equation and denote the estimates $\hat{\theta}^{(2)}$, $\hat{\theta}_{SUR}^{(2)}$ and $\hat{\theta}_{COM}^{(2)}$.
- 3.a Check that the second estimates are within the multivariate confidence region based on the first estimates by reporting the p -value $Pr(X \geq x)$ of the statistic

$$x = 2 \left(\log L_{SUR} \left(\hat{\theta}^{(1)}, \hat{\theta}_{SUR}^{(1)} \right) - \log L_{SUR} \left(\hat{\theta}^{(2)}, \hat{\theta}_{SUR}^{(2)} \right) \right)$$

where $X \sim \chi^2(df)$ and $df = \dim(\boldsymbol{\theta}) + \dim(\boldsymbol{\theta}_{SUR})$.



Fisheries data integration

How can we tackle these differences?

The LGNB model

Validating the integrated LGNB-SDM

Random effects

- 1.b Using the parameter estimates from (1a) obtain the most probable random effects $\hat{\lambda}^{(1)}$ by maximizing the integrand of the L_{SUR} equation.
- 2.b Using the parameter estimates from (2a) obtain the most probable random effects $\hat{\lambda}^{(2)}$ by maximizing the integrand of the L_{BOTH} equation.
- 3.b Using the logarithm of the integrand of the L_{COM} , report P of $\hat{\lambda}^{(2)}$ being inside the confidence region of $\hat{\lambda}^{(1)}$ using a χ^2 -distribution with $\dim(\lambda)$ degrees of freedom.



Fisheries data integration

Summary

- Point-process model (state-space model w/ spatial component)
 - Any type of count-related data can be modelled
 - Hidden effects on the catch process can be accounted for through structured and unstructured random effects
 - Different sets of covariates can be included in both observation and latent processes
 - Can be applied to only one data source when the other is missing
 - Preferential sampling can be accounted for



Case study application



Fisheries data integration

Case study – WB cod fishery

**Bridging the gap between commercial fisheries and survey data
to model the spatiotemporal dynamics of marine species***

Marie-Christine Rufener, Kasper Kristensen, J. Rasmus Nielsen, François Bastardie

(Please do not share any figure related to this manuscript)

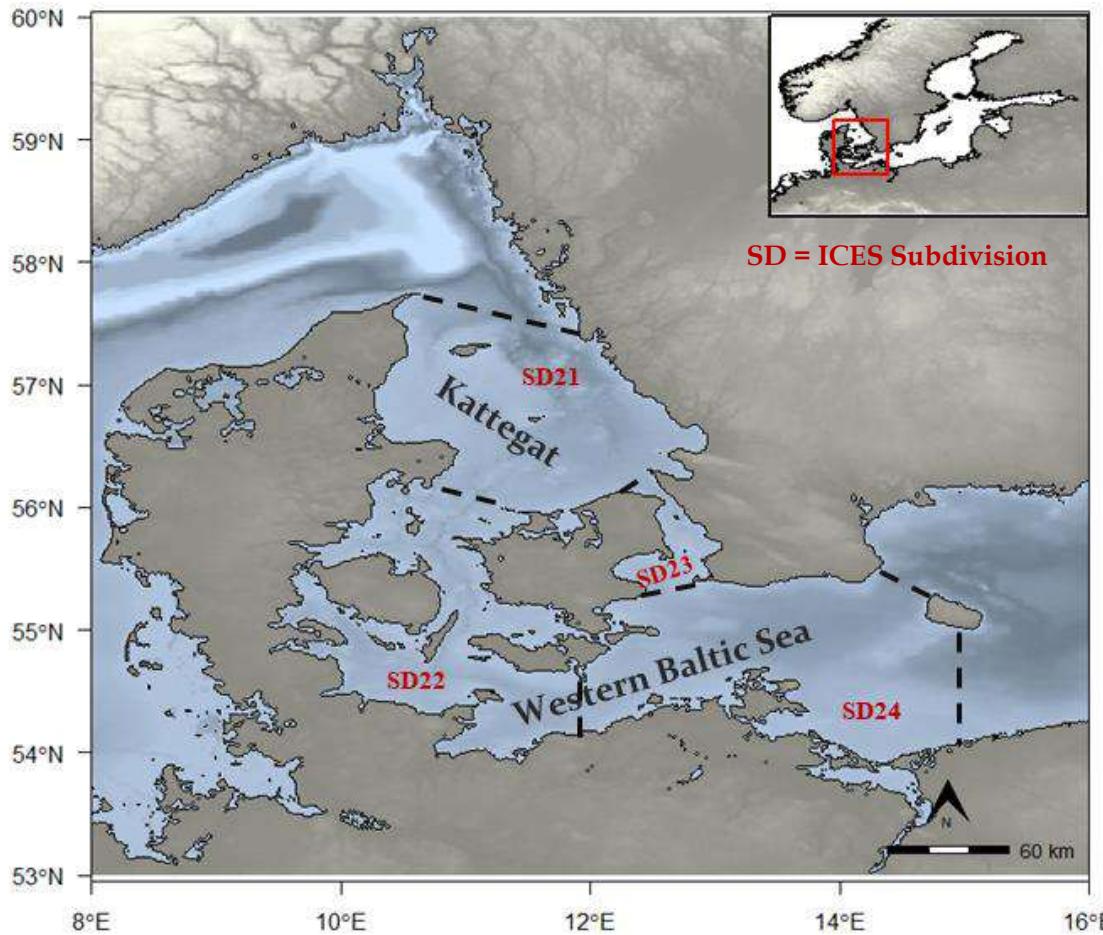
* Manuscript under review



Fisheries data integration

Case study – WB cod fishery (trawlers)

Background



2005-2016

Survey data

- BITS (1st & 4th Quarters)
- 1808 hauls

Commercial data

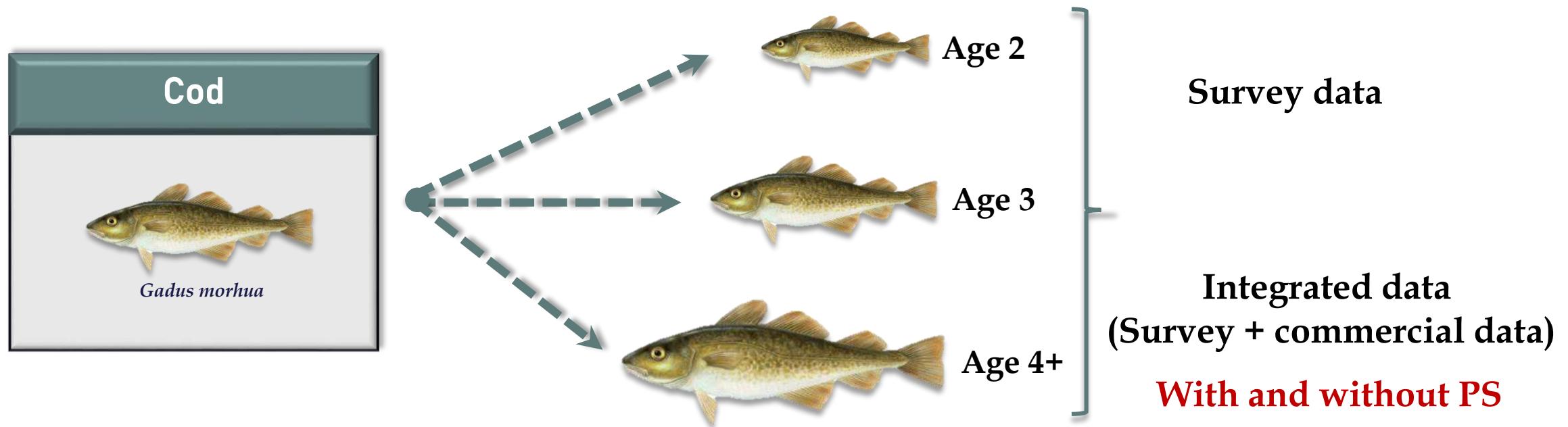
- On-board observers
- 432 hauls



Fisheries data integration

Case study – WB cod fishery (trawlers)

Background



Fisheries data integration

Case study – WB cod fishery (trawlers)

Background

Latent process

$$\lambda(s, t) = \exp\left(\sum_{k=1}^K \beta_k X_k(s, t) + \xi(s, t)\right)$$

- Time-period (Year-Quarter)

Catch process

$$\log(\mu_i^{\text{SUR}}) = \log(\lambda(s_i, t_i)) + \sum_{k=1}^{K_{\text{SUR}}} \beta_k^{\text{SUR}} X_{k,i}^{\text{SUR}} + \gamma_i$$

- Time-period (Year-Quarter) – Fixed eff.
- Ship (2 levels) – Fixed. eff.
- Haul duration (h)

$$\log(\mu_i^{\text{COM}}) = \log(\lambda(s_i, t_i)) + \sum_{k=1}^{K_{\text{COM}}} \beta_k^{\text{COM}} X_{k,i}^{\text{COM}}$$

- Time-period (Year-Quarter) – Fixed eff.
- Métier (2 levels) – Fixed. eff.
- Vessel (80 levels) – Random eff.



Fisheries data integration

Case study – WB cod fishery (trawlers)

Results

Preferential sampling

Age group	Model	PS (α)	NLL	Npar	χ^2	Pr > χ^2
A2	M _A	-	-22570	110	-	-
	M _B	-0.08	-22566	111	7.87	0.005
A3	M _A	-	-21587	110	-	-
	M _B	-0.07	-21585	111	4.59	0.032
A4+	M _A	-	-20221	110	-	-
	M _B	1.5	-20080	111	281.41	0

M_A – model without preferential sampling (PS) correction term

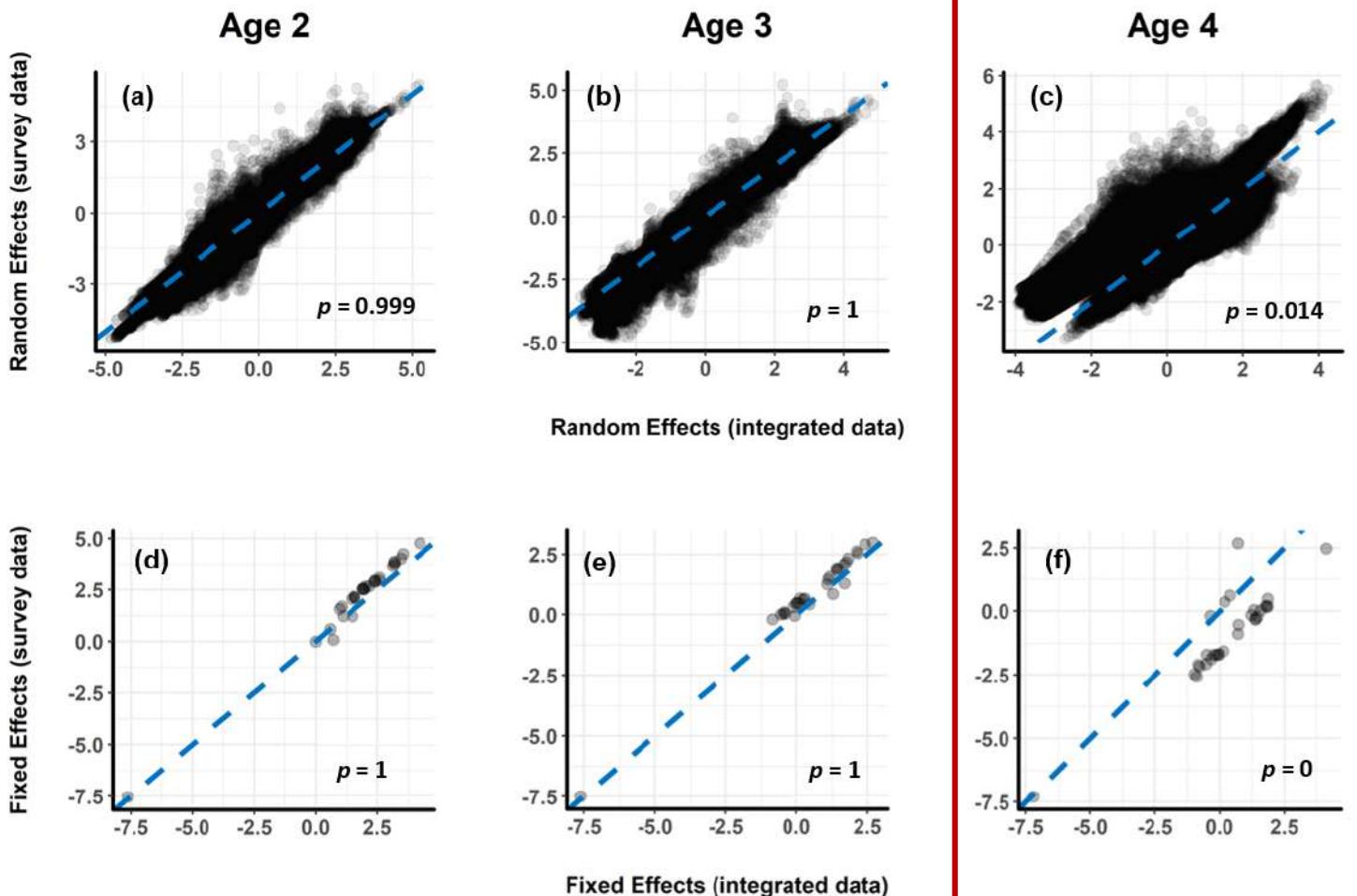
M_B – model with preferential sampling (PS) correction term



Fisheries data integration

Case study – WB cod fishery (trawlers)

Results



Validation

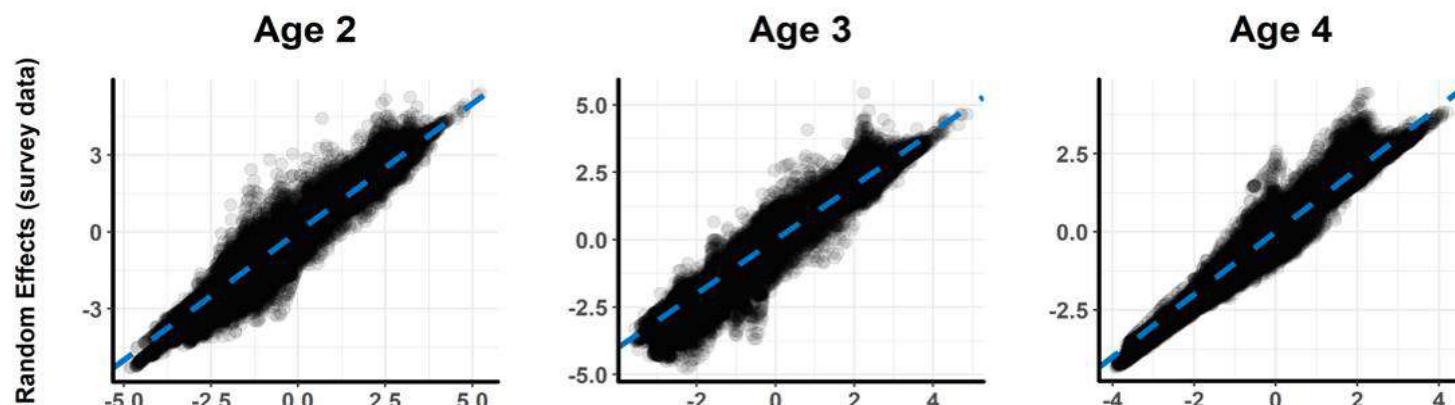
(w/ PS)



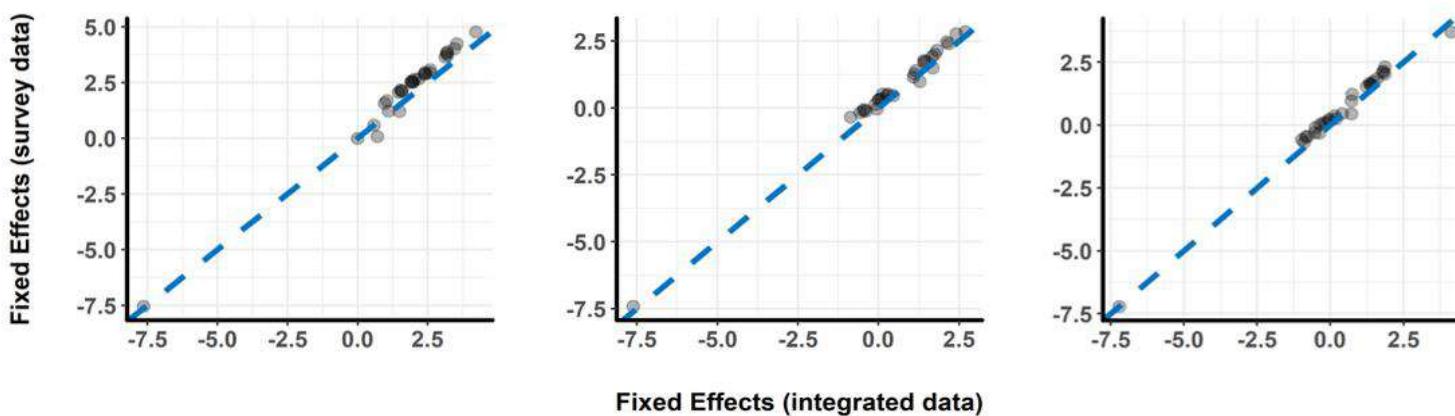
Fisheries data integration

Case study – WB cod fishery (trawlers)

Results



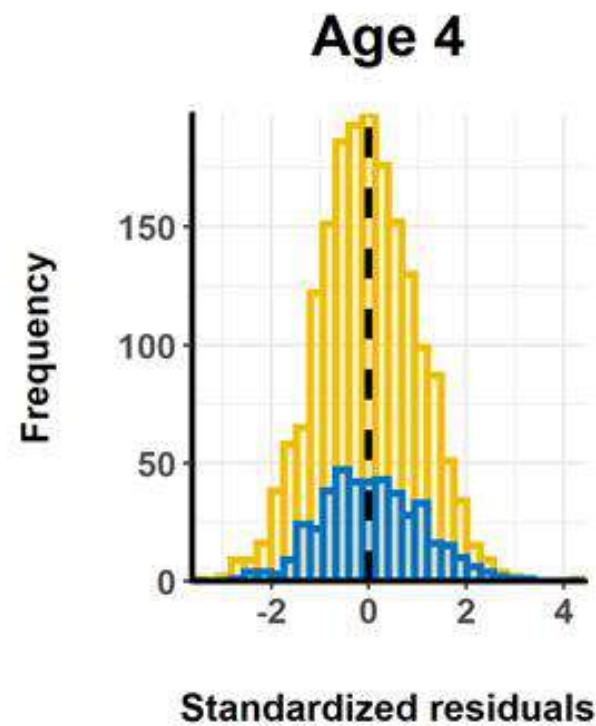
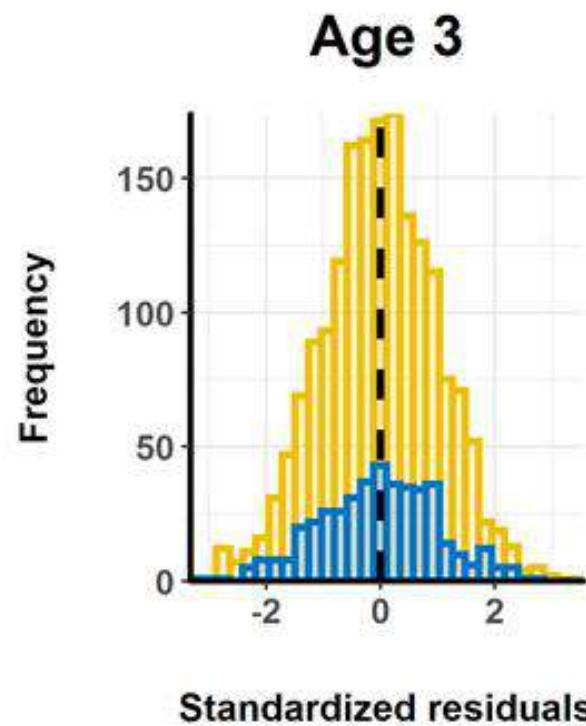
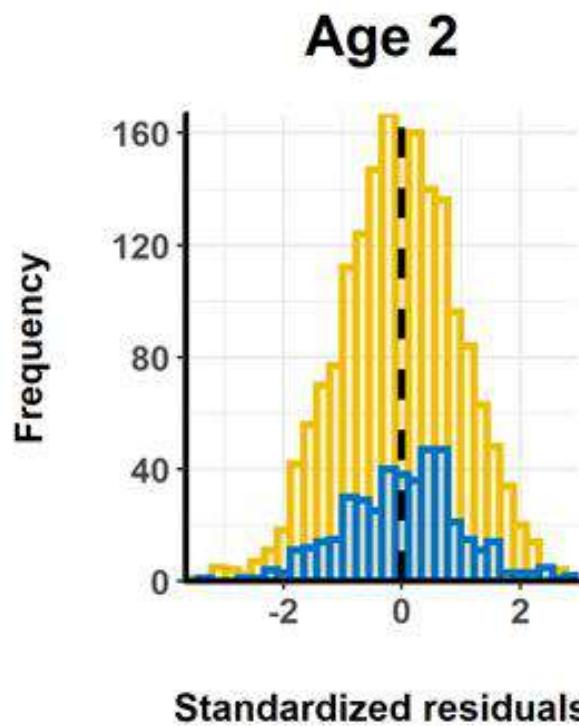
Validation (no PS)



Fisheries data integration

Case study – WB cod fishery (trawlers)

Results

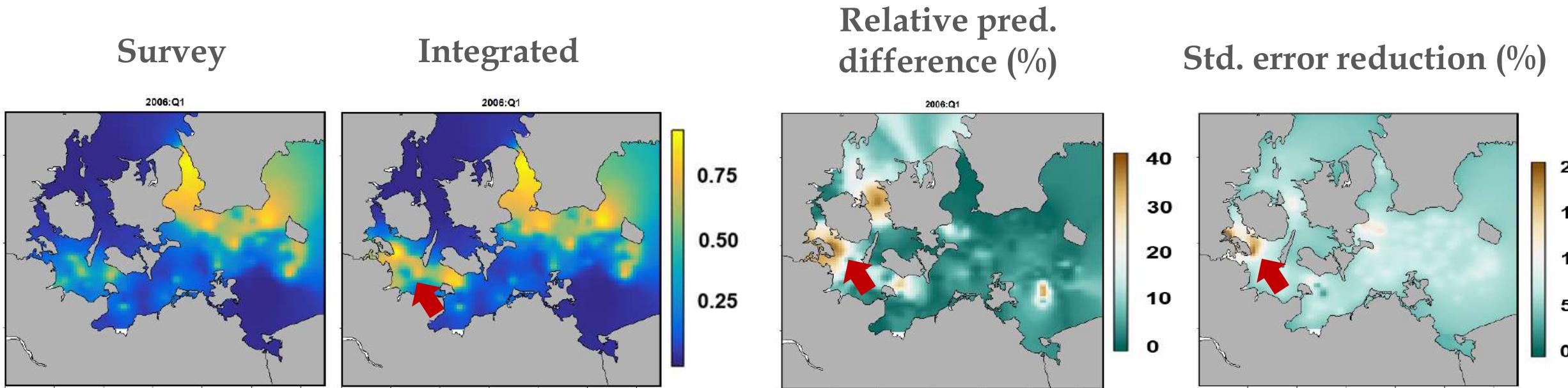


Fisheries data integration

Case study – WB cod fishery (trawlers)

Results

Spatio-temporal abundance dynamics

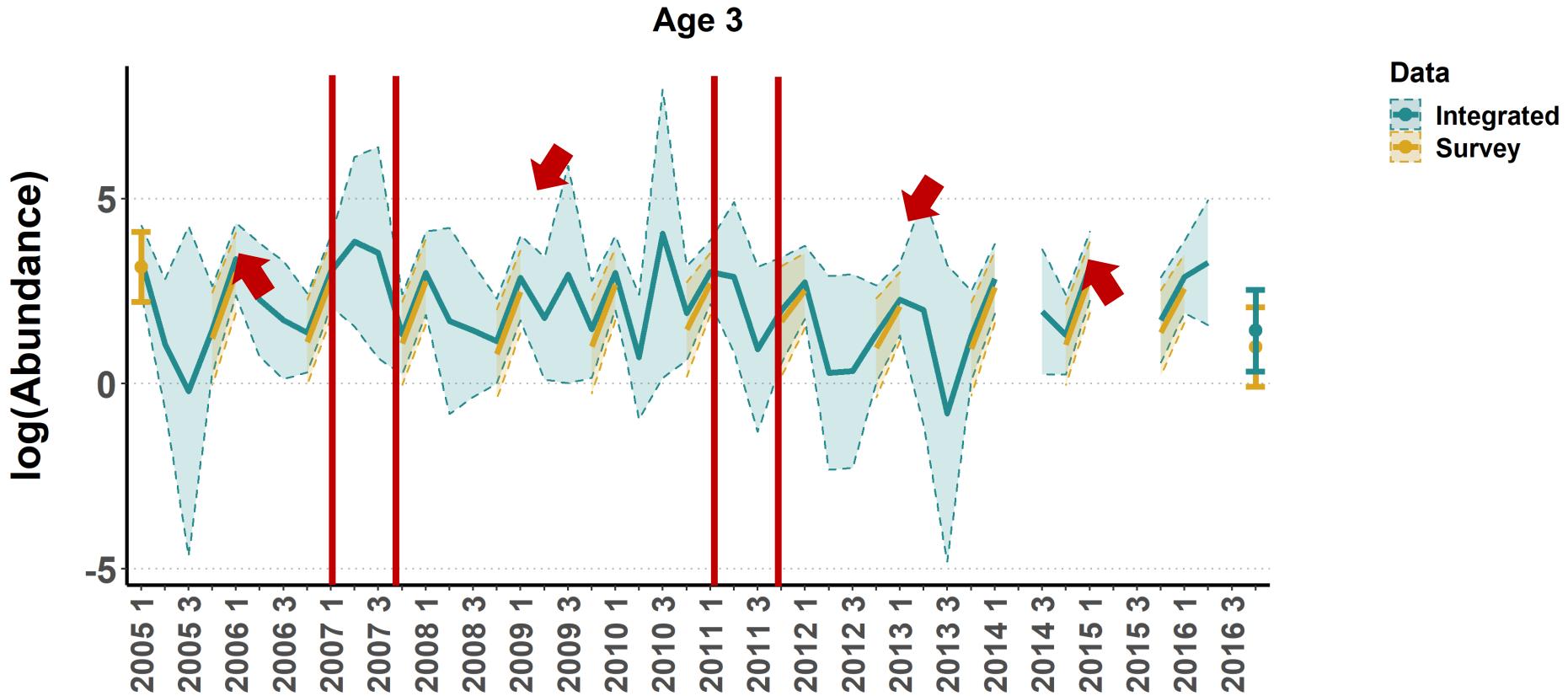


Fisheries data integration

Case study – WB cod fishery (trawlers)

Results

Seasonal abundance indices



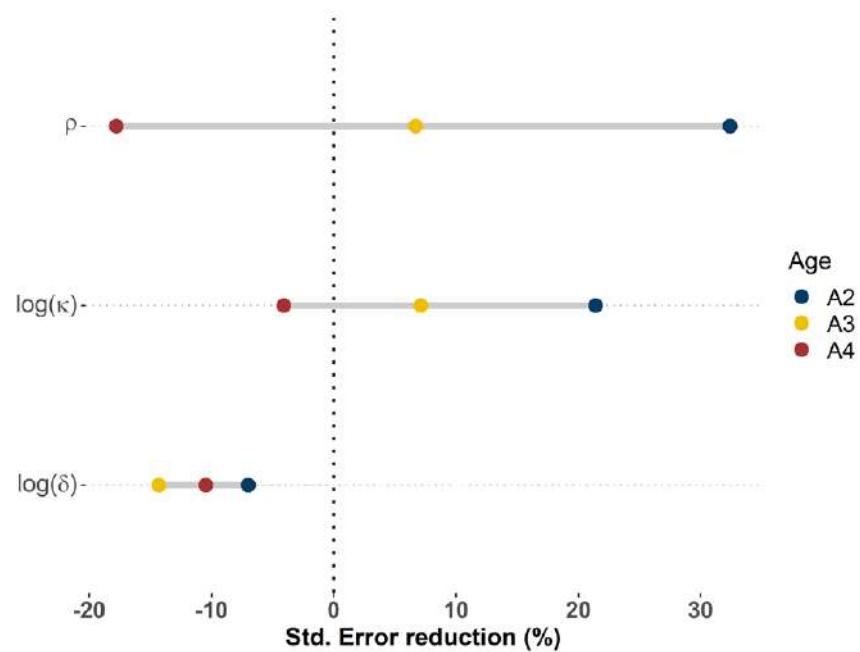
Fisheries data integration

Case study – WB cod fishery (trawlers)

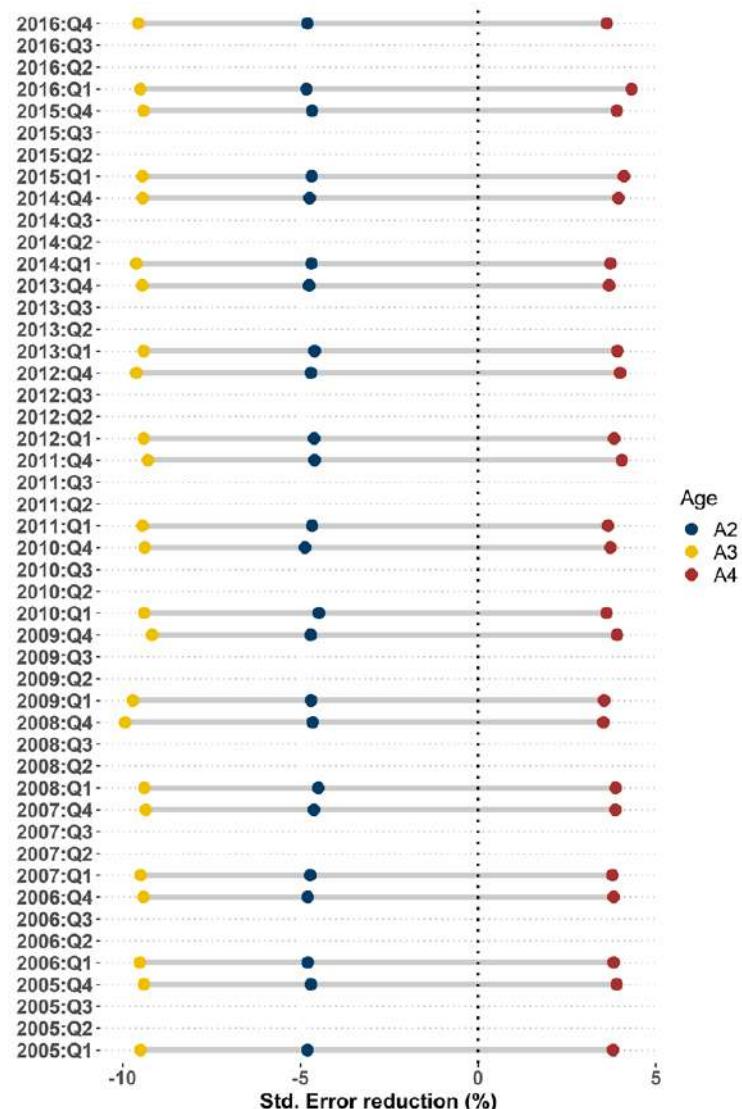
Results

Improvement in parameter estimates

Random effects (spatial & temporal corr.)



Fixed effects (Year-Quarter)



2 Introduction to Template Model Builder (TMB)

Basics of MLE



Template Model Builder (TMB)

How do we estimate things?



Template Model Builder (TMB)

How do we estimate things?

- 1) Set-up a model that describes the system of interest (i.e., probability distribution)
 - Function to be used for predictions



Template Model Builder (TMB)

How do we estimate things?

- 1) Set-up a model that describes the system of interest (i.e., probability distribution)
 - Function to be used for predictions
- 2) Identify plausible values for the unknown parameters



Template Model Builder (TMB)

How do we estimate things?

- 1) Set-up a model that describes the system of interest (i.e., probability distribution)
 - Function to be used for predictions
- 2) Identify plausible values for the unknown parameters
- 3) Assess the uncertainty around the estimated parameters
 - Explore the function around plausible parameter values (*parameter space*)

Different ways to estimate!



Template Model Builder (TMB)

The MLE approach

- Consists in finding the optimal parameter values (θ) by maximizing the likelihood (L) of the data (D)

$$L(D|\theta) \approx P(D|\theta)$$

The likelihood of the data given parameter(s) is the probability of the data given parameter(s)

- **Likelihood:** Given the data, we estimate the parameters (i.e., related to possible results)
- **Probability:** Given the parameters, we predict the data (i.e., related to hypotheses)



Template Model Builder (TMB)

The MLE approach

- When the data consists of n observations i , the likelihood is the product of the individual likelihoods

$$L(D|\theta) = L(D_1|\theta) L(D_2|\theta) \dots L(D_n|\theta)$$



Template Model Builder (TMB)

The MLE approach

- Problem with multiplication when $n \gg$
 - log-transformation

$$L(D|\theta) = L(D_1|\theta) L(D_2|\theta) \dots L(D_n|\theta)$$



$$\underbrace{\log(L(D|\theta))}_{\text{Joint log Likelihood (JLL)}} = \log(L(D_1|\theta)) + \log(L(D_2|\theta)) + \dots + \log(L(D_n|\theta))$$

Joint log Likelihood
(JLL)



Template Model Builder (TMB)

The MLE approach

- Choose parameter values that maximize the likelihood of the data

$$\hat{\theta} = \operatorname{argmax}_{\theta} L(y|\theta)$$

MLE of parameter(s) Maximum value for $L(y | \theta)$ that can be achieved for any value of θ

- argmax_{θ} is conducted with optimization algorithms
 - Computers like to optimize things by finding the *minimum*, rather than the *maximum*

$$\hat{\theta} = \text{argmin}_{\theta} (L(\mathbf{y} | \theta))$$



Template Model Builder (TMB)

The MLE approach

- The curvature of the JNLL provides an estimate of the maximum likelihood estimator

$$\widehat{\text{var}}(\hat{\theta}) = \left(\underbrace{\frac{\partial^2 L(y|\theta)}{\partial \theta^2} \Bigg|_{\theta = \hat{\theta}}} \right)^{-1}$$

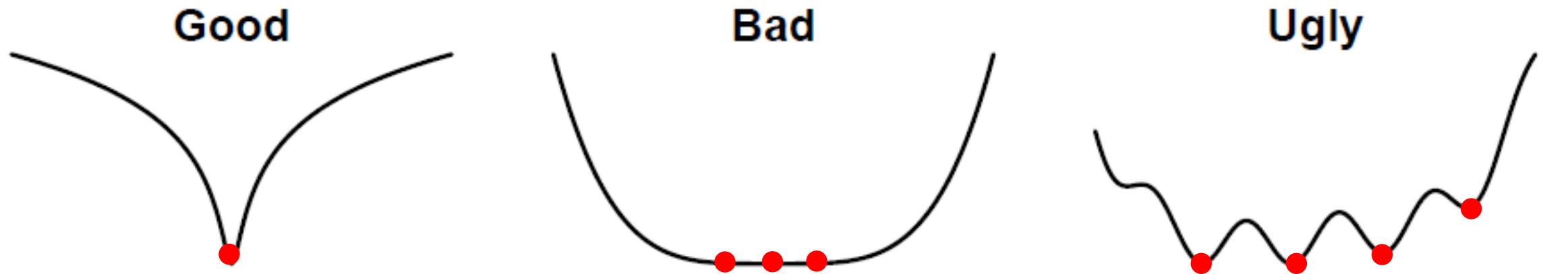
Hessian matrix



Template Model Builder (TMB)

The MLE approach

Profile likelihood



Template Model Builder (TMB)

The MLE approach

Profile likelihood & confidence interval





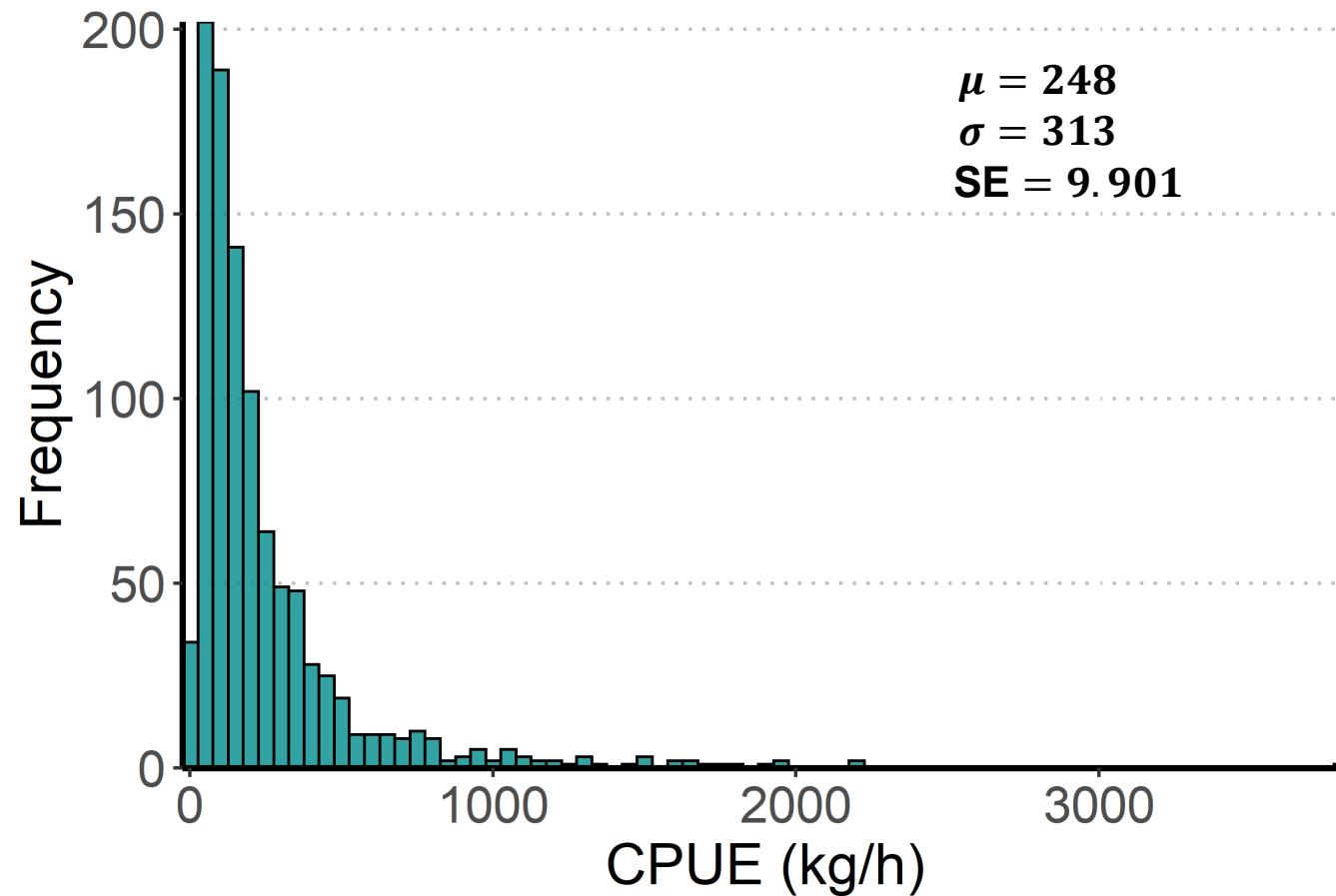
TMB_intro.R

Toy exercise



Template Model Builder (TMB)

Simulate data (e.g., CPUE)

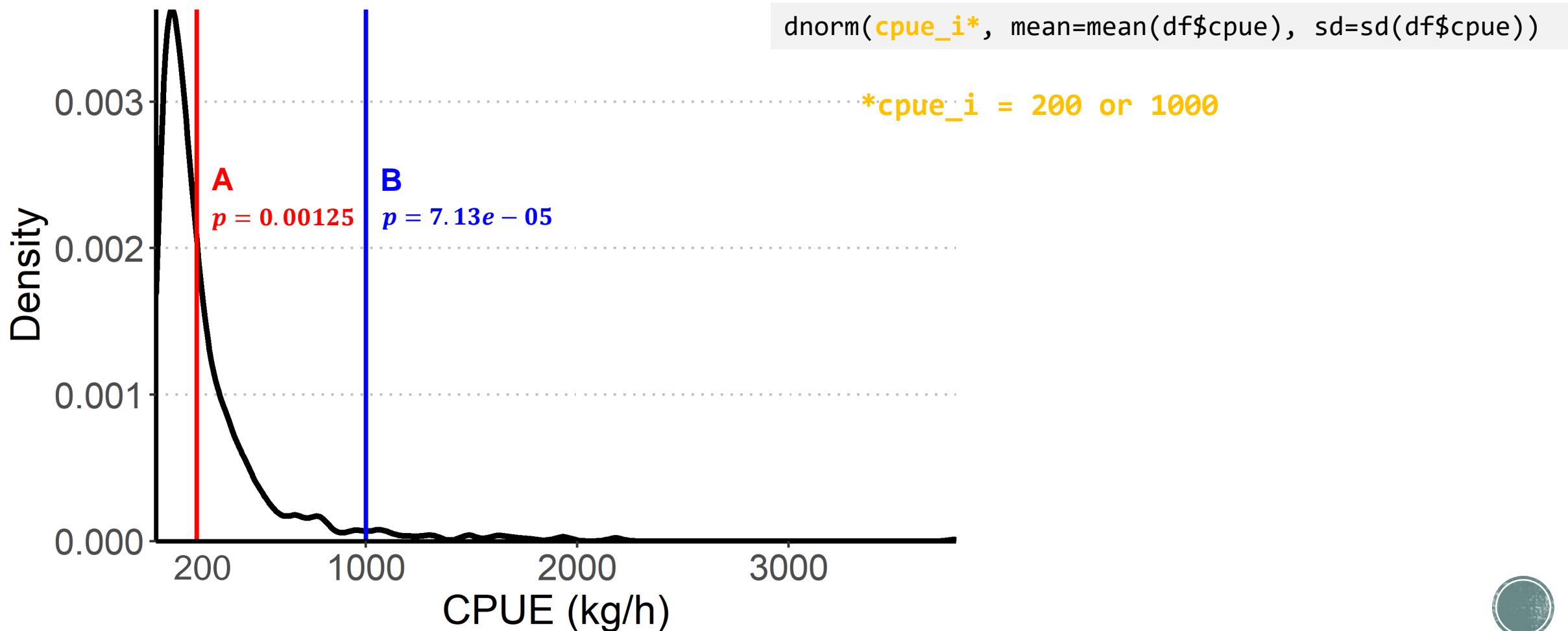


```
## Simulate a log-normal distribution  
  
set.seed(123)  
nsim <- 1000 #No of observations  
mu_log <- 5  
sd_log <- 1  
  
df <- data.frame(cpue=rlnorm( n=nsim,  
mean=mu_log, sd=sd_log))
```



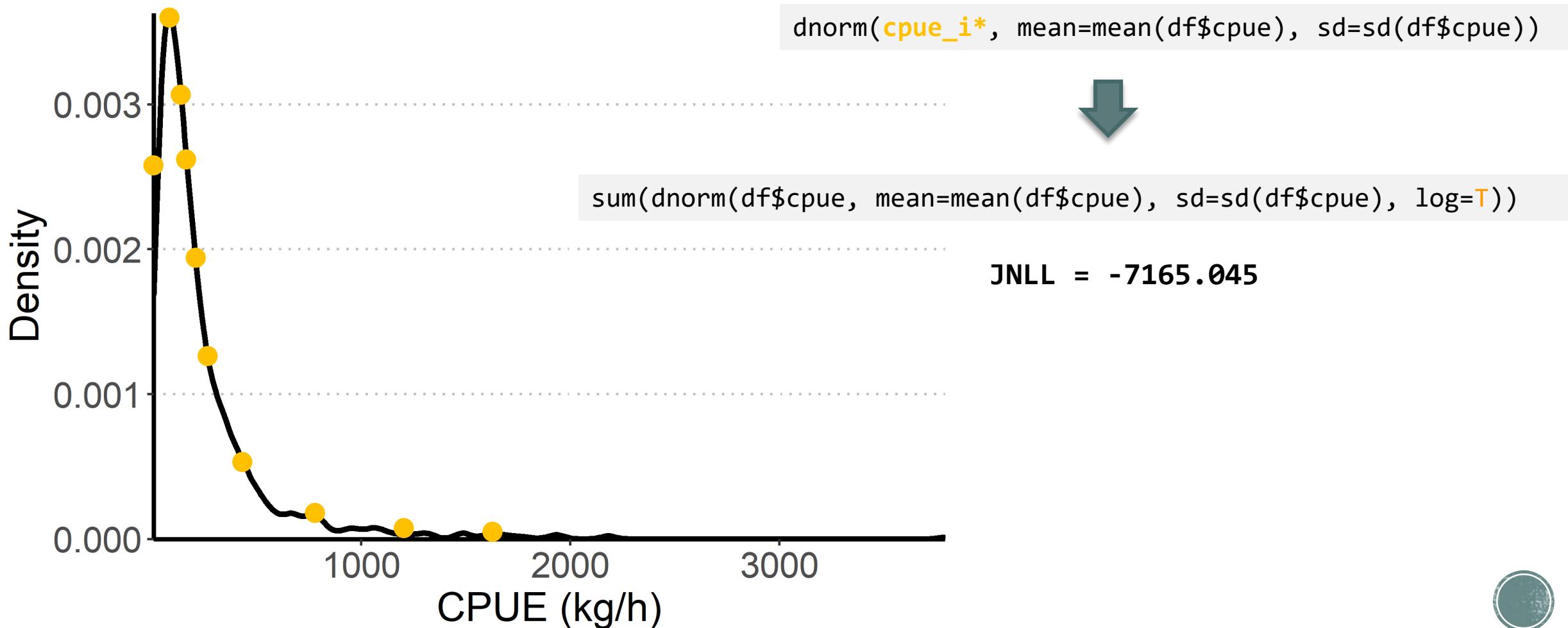
Template Model Builder (TMB)

Likelihood of individual observations



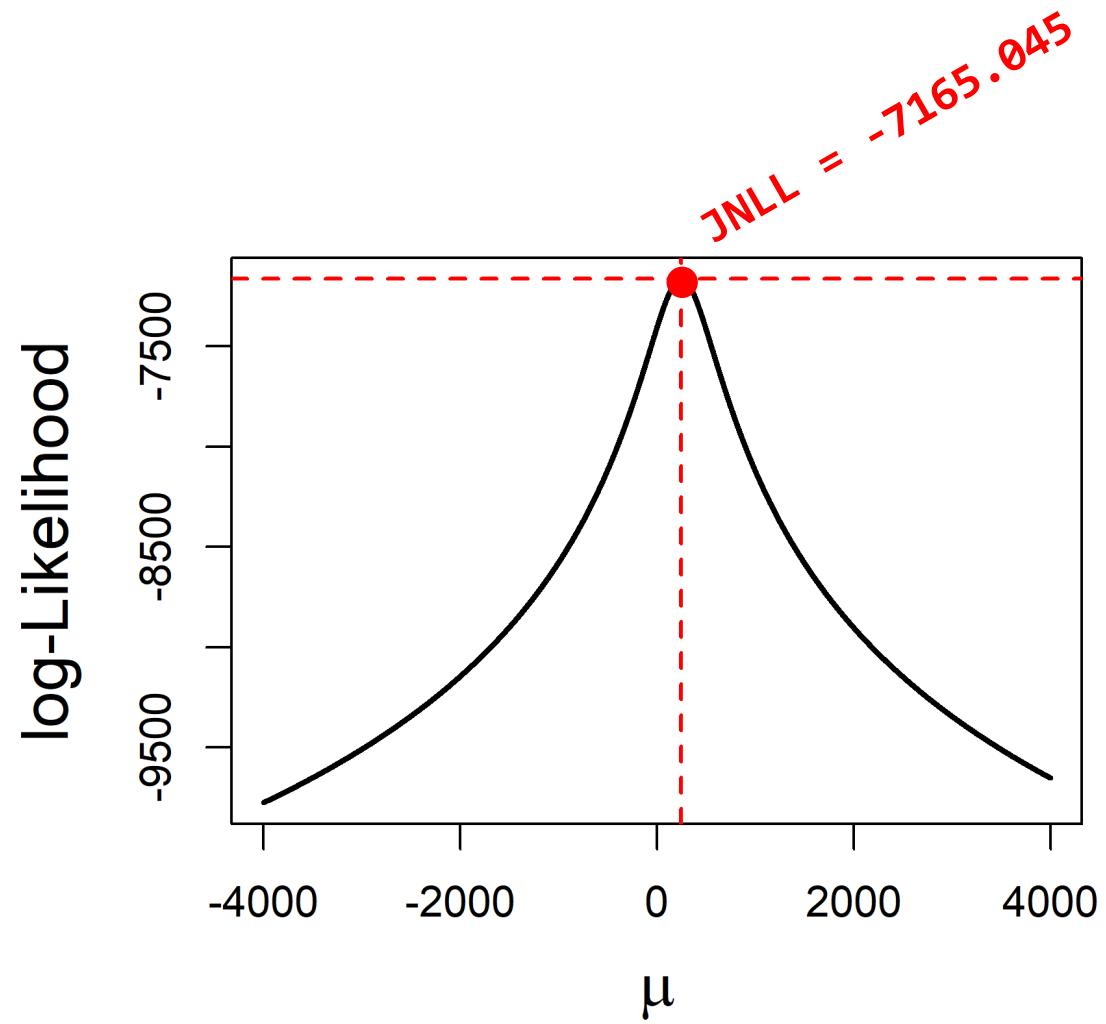
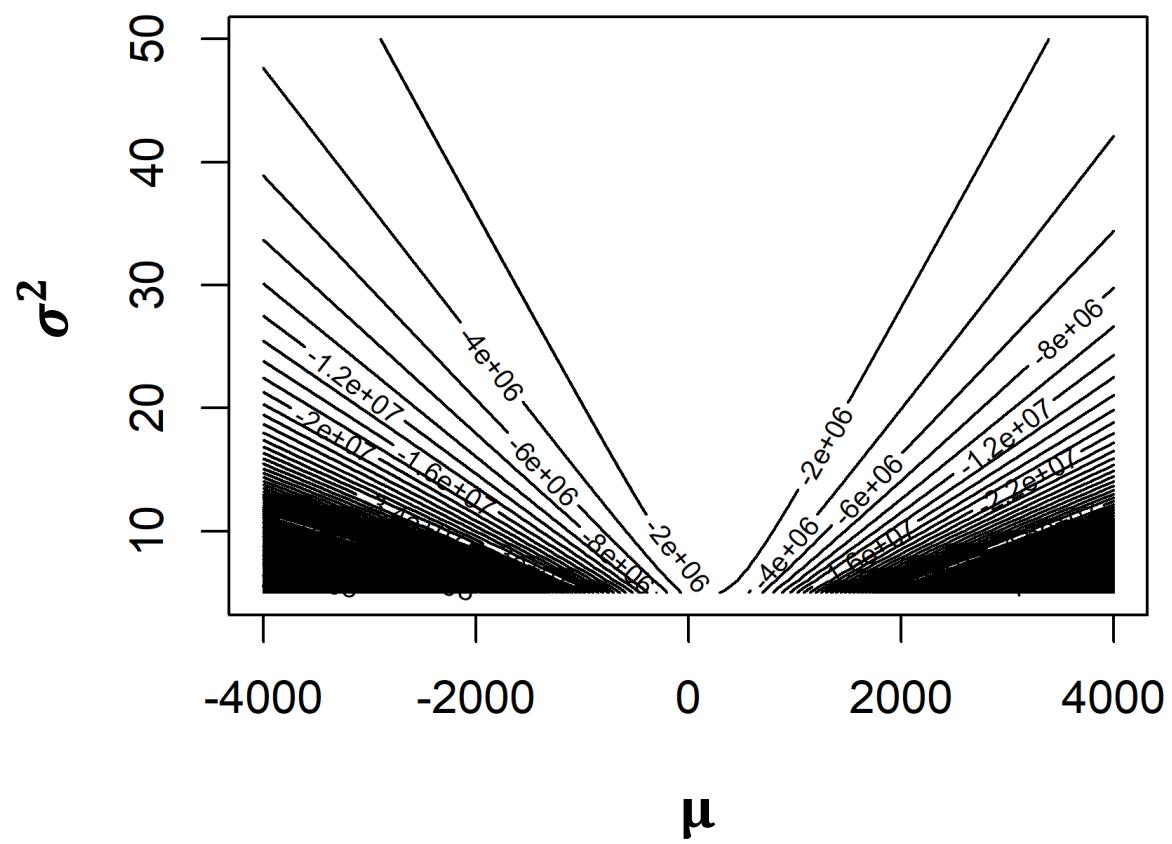
Template Model Builder (TMB)

Likelihood of the whole dataset



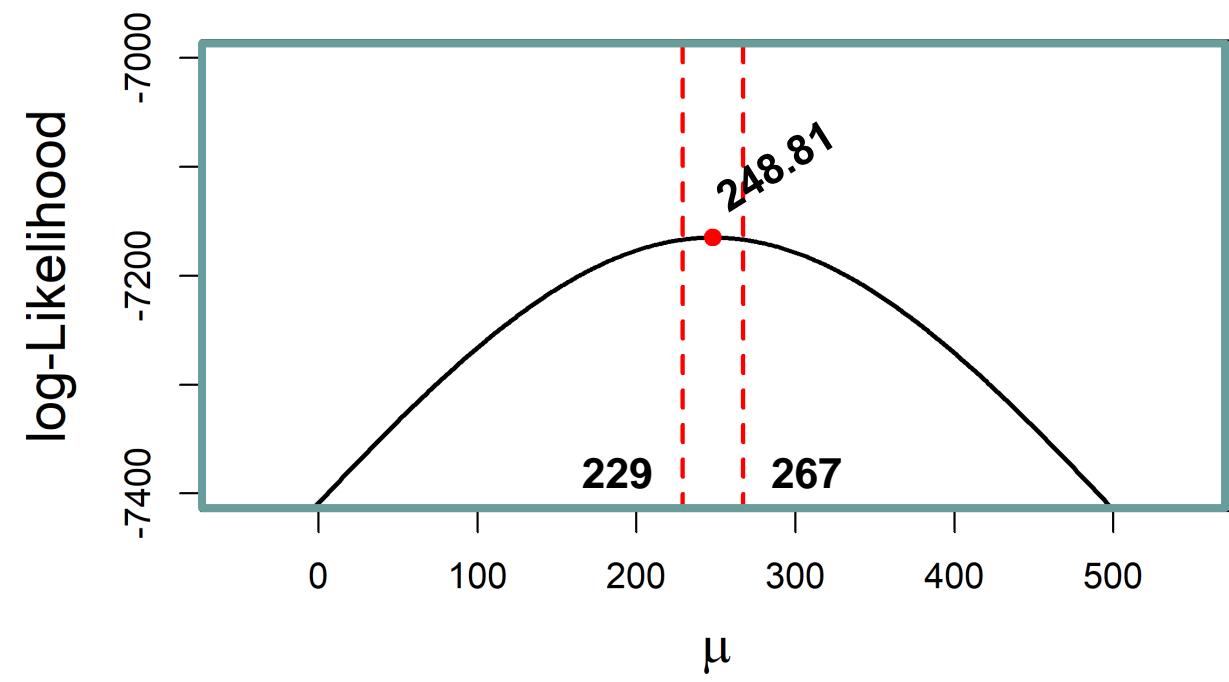
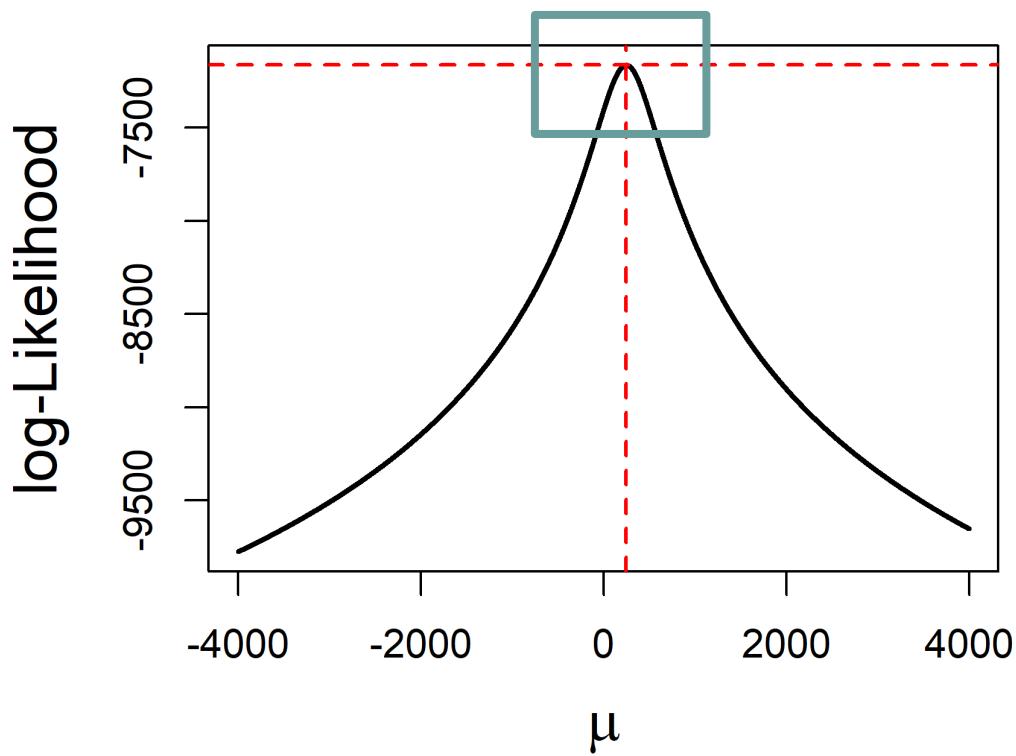
Template Model Builder (TMB)

Profile likelihood



Template Model Builder (TMB)

Profile likelihood



Template Model Builder (TMB)

Estimate average CPUE

- Method 1: Linear model with standard R function

```
# Standard R functions  
#~~~~~  
  
LM = lm( df$cpue ~ 1 )  
summary(LM)
```

Estimation method:
Ordinary Least Squares

Call:
lm(formula = df\$cpue ~ 1) $\mu = 248$
 $\sigma = 313$
 $SE = 9.901$

Residuals:

Min	1Q	Median	3Q	Max
-239.2	-168.9	-98.3	40.4	3545.4

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	248.100	9.902	25.06	<2e-16 ***

Signif. codes: 0 ‘***’ 0.001 ‘**’ 0.01 ‘*’ 0.05 ‘.’
0.1 ‘ ’ 1

Residual standard error: 313.1 on 999 degrees of freedom



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function
- **Steps:**
 - 1) Define the joint-negative log-likelihood (JNLL) function
 - 2) Optimize the JNLL function
 - 3) Analyze results



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function

1) Define the joint-negative log-likelihood (JNLL) function

```
#### Define JNLL function

JNLL <- function(data, parameters){

  mu <- parameters[1]
  sd <- parameters[2]

  jnll <- 0

  vector_of_likelihoods <- dnorm(data, mu, exp(sd), log=TRUE)
  jnll <- -1*sum(vector_of_likelihoods)

  return(jnll)
}
```



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function

2) Optimize the JNLL function

```
Opt_r <- optim(par = list("mu"=0,"log_sd"=0), #from {stats} package  
                 fn = JNLL,  
                 data = df$cpue,  
                 method = "BFGS",  
                 hessian=TRUE)
```



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function

3) Analyze results

```
> names(Opt_r) #What is contained in the Opt object?  
[1] "par"          "value"        "counts"       "convergence"  "message"      "hessian"
```

```
> Opt_r$par  
    mu      log_sd  
248.816195  5.746172
```

```
> Opt_r$value  
[1] 7165.047
```



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function

3) Analyze results

```
> Opt_r$hessian
      mu      log_sd
mu 0.01020817 -0.01461558
log_sd -0.01461558 1999.74940665
```

```
> print(se_optim_r <- sqrt(diag(solve(Opt_r$hessian))))
      mu      log_sd
9.8975649 0.0223622
```



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function

3) Analyze results – let's compare with the lm() estimates and raw data

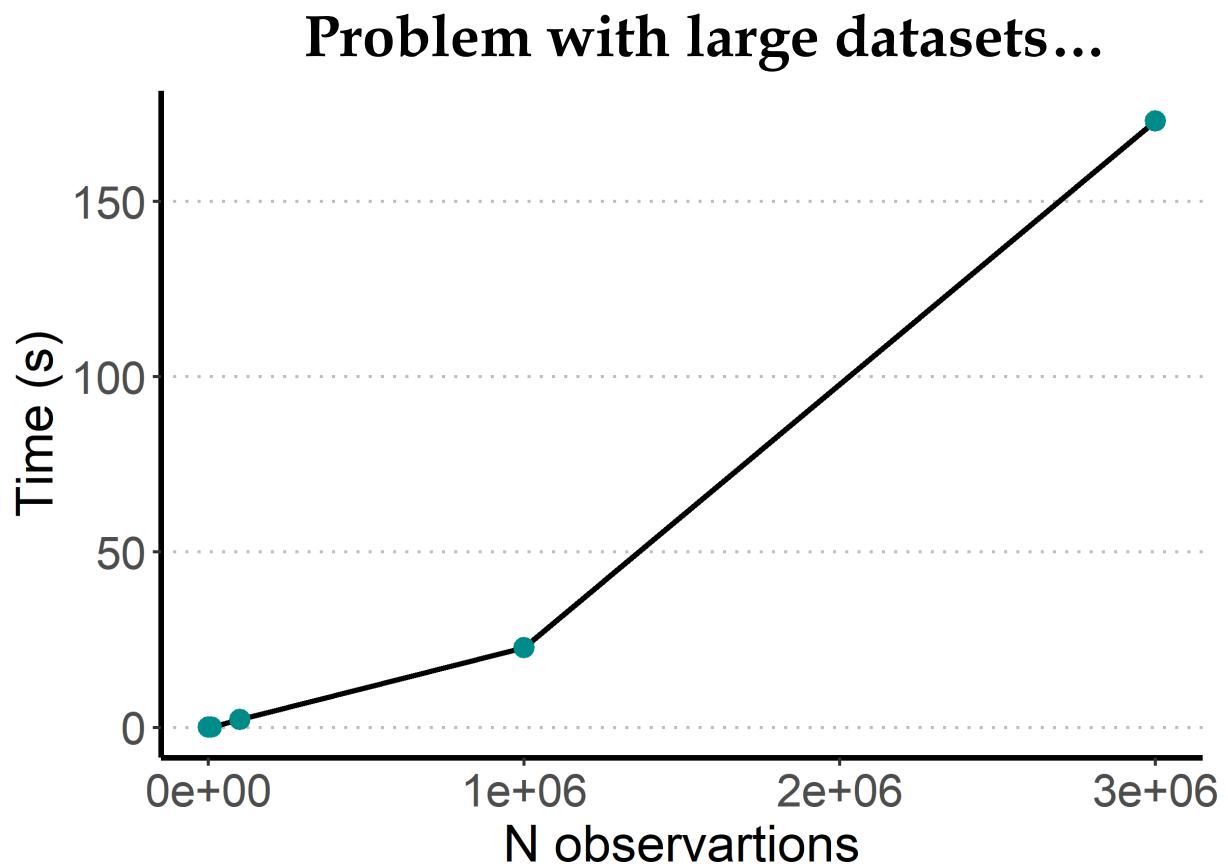
```
> res_full
      mu    log_sd
raw   248.1003 5.746606
lm    248.1003 5.746606
Roptim 248.8162 5.746172
```



Template Model Builder (TMB)

Estimate average CPUE

- Method 2: R optimization function



Shifting gears to TMB



Template Model Builder (TMB)

After all...what is TMB?

- R-package to fit statistical Latent Variable Models (LVMs)



Kasper
Kristensen
(DTU)



Anders
Nielsen
(DTU)



Casper Berg
(DTU)



Hans Skaug
(UiB)



Brad Bell
(UW)



Template Model Builder (TMB)

After all...what is TMB?

- Programming language based in R that calculates the likelihood of complex statistical models with the computational speed of **C++**.
- Highly inspired on the Automatic Differentiation Model Builder (**ADMB**) R-package
- Uses **CppAD** (and other libraries) to evaluate 1st and 2nd (and possibly 3rd) order derivatives of an objective function written in **C++**.
- Uses Laplace approximation to integrate out random effects



Template Model Builder (TMB)

Why use TMB?

- Rapid computational time
 - Based on C++ language
 - Minimization algorithm uses analytical derivatives



Template Model Builder (TMB)

Why use TMB?

- Rapid computational time
 - Based on C++ language
 - Minimization algorithm uses analytical derivatives
- No need to supply the derivatives to be minimized with regards to the parameters
 - Computed automatically using the reverse mode autodifferentiation



Template Model Builder (TMB)

Why use TMB?

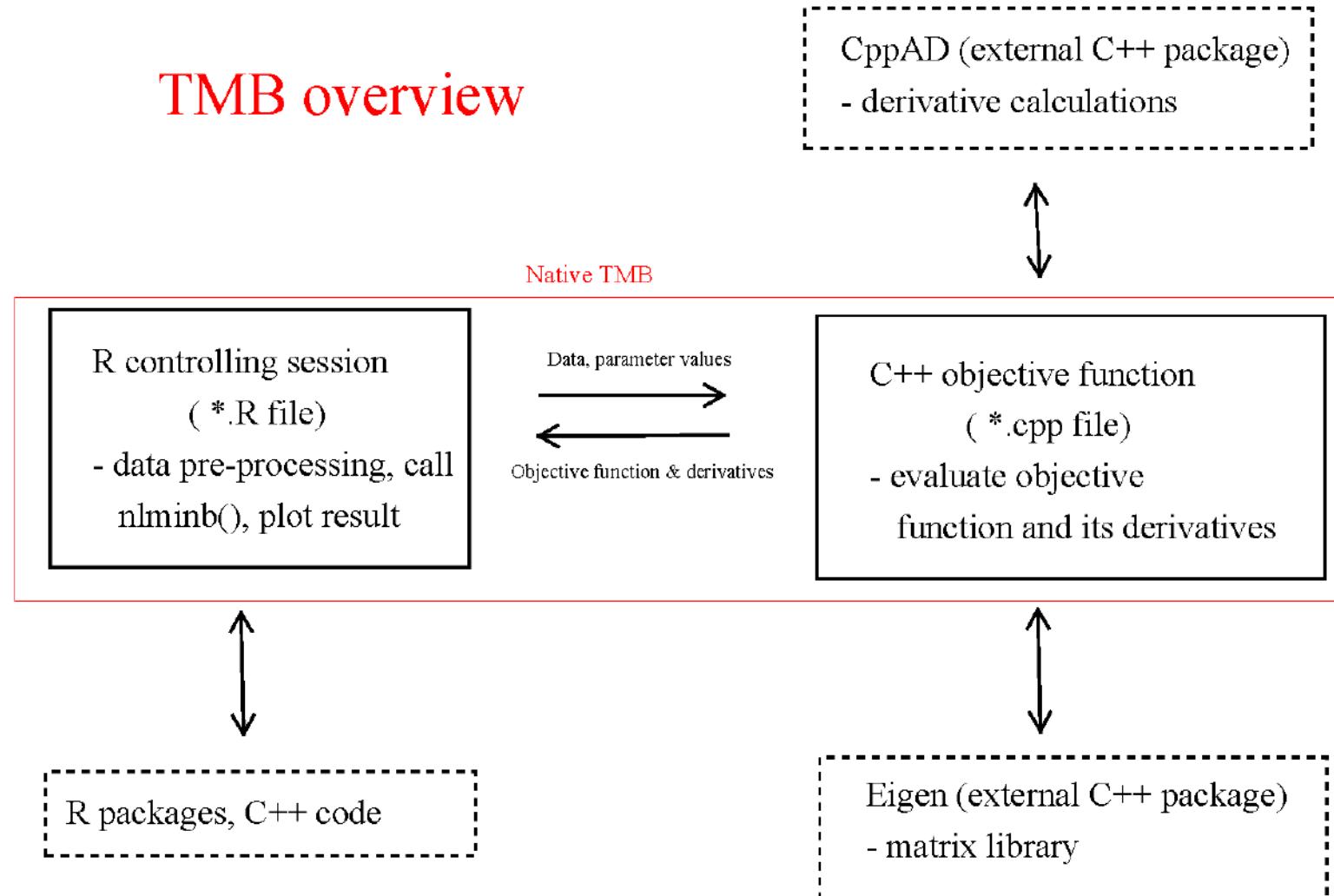
- Rapid computational time
 - Based on C++ language
 - Minimization algorithm uses analytical derivatives
- No need to supply the derivatives to be minimized with regards to the parameters
 - Computed automatically using the reverse mode autodifferentiation
- Flexibility to implement complex and non-standard models
 - Complex covariance structure
 - Non-linear relationship for parameters
 - Ease to reparametrize parameters
 - Multiple sources of observations, each described by different likelihoods....



Template Model Builder (TMB)

TMB workflow

TMB overview



Template Model Builder (TMB)

TMB workflow

C++-side

- Set-up data, parameters and derived parameters
- Specify the model
- Define objective function that will be minimized



R-side

- Compile the C++ file
- Define data and parameter inputs
- Link the compiled C++ file to the optimizer
- Run the model
- Analyze model results



Toy exercise (cont.)



Template Model Builder (TMB)

Estimate average CPUE

— Method 3: TMB

- C++-side:

```
#include <TMB.hpp>
template<class Type>
Type objective_function<Type>::operator() ()
{
    // Data
    DATA_VECTOR(y_i);

    // Parameters
    PARAMETER(mu);
    PARAMETER(log_sd);
}

// Objective function & parameter transf.
Type sd = exp(log_sd);
Type jnll = 0;
int n_data = y_i.size();

// Probability of data conditional on fixed effect values
for( int i=0; i<n_data; i++){
    jnll -= dnorm( y_i(i), mu, sd, true );
}

// Reporting
return jnll;
}
```

LM.cpp

Mandatory for every c++ file

Define input data & parameters

Calculate the JNLL



Template Model Builder (TMB)

TMB hints

- C++-side:

Data macros*	Parameter macros*
DATA_ARRAY()	PARAMETER()
DATA_FACTOR()	PARAMETER_VECTOR()
DATA_MATRIX()	PARAMETER_MATRIX()
DATA_INTEGER()	PARAMETER_ARRAY()
DATA_SCALAR()	
DATA_VECTOR()	
DATA_STRING()	

* For more options, refer to: http://kaskr.github.io/adcomp/_book/Tutorial.html



Template Model Builder (TMB)

TMB hints

- C++-side:

R code	C++/TMB code	
Comments	#	// Comment symbol
Constants	3.4	// Explicit casting recommended in TMB
Scalar	x = 5.2	// Variables must have type
Arrays	x = numeric(10)	// C++ code here does NOT initialize to 0
Indexing	x[1]+x[10]	// C++ indexing is zero-based
Loops	for(i in 1:10)	// Integer i must be declared in C++
Increments	x[1] = x[1] + 3	// += -= *= /= incremental operators in C++

* For more options, refer to: http://kaskr.github.io/adcomp/_book/Tutorial.html



Template Model Builder (TMB)

TMB workflow

C++-side

- Set-up data, parameters and derived parameters
- Specify the model
- Define objective function that will be minimized

R-side

- Compile the C++ file
- Define data and parameter inputs
- Link the compiled C++ file to the optimizer
- Run the model
- Analyze model results



Template Model Builder (TMB)

Estimate average CPUE

- Method 3: TMB
- R-side:

```
#### Compile and load the C++ model
compile("LM.cpp")
dyn.load(dynlib("LM"))

#### Create Data and Parameter list
Data <- list("y_i" = df$cpue)
Parameters <- list("mu" = 0, "log_sd"=0) #set starting values for parameters

#### Construct objective function
Obj <- MakeADFun(data=Data, parameters=Parameters, DLL="LM")

#### Optimize objective function
Opt_tmb = nlminb(start=Obj$par, objective=Obj$fn, gradient=Obj$gr)
```

TMB_intro.R



Template Model Builder (TMB)

Estimate average CPUE

- Method 3: TMB

- Results

```
> Opt_tmb$objective #JNLL  
[1] 7165.044
```

TMB_intro.R

```
SD <- sdreport(Obj); SD #standard errors  
outer mgc: 5.396742e-06  
outer mgc: 1.024017e-05  
outer mgc: 1.017842e-05  
outer mgc: 1.998007  
outer mgc: 2.001996  
sdreport(.) result  
              Estimate Std. Error  
mu        248.100306 9.89696594  
log_sd    5.746106 0.02236067  
Maximum gradient component: 5.396742e-06
```



Template Model Builder (TMB)

Estimate average CPUE

- Method 3: TMB
- Results

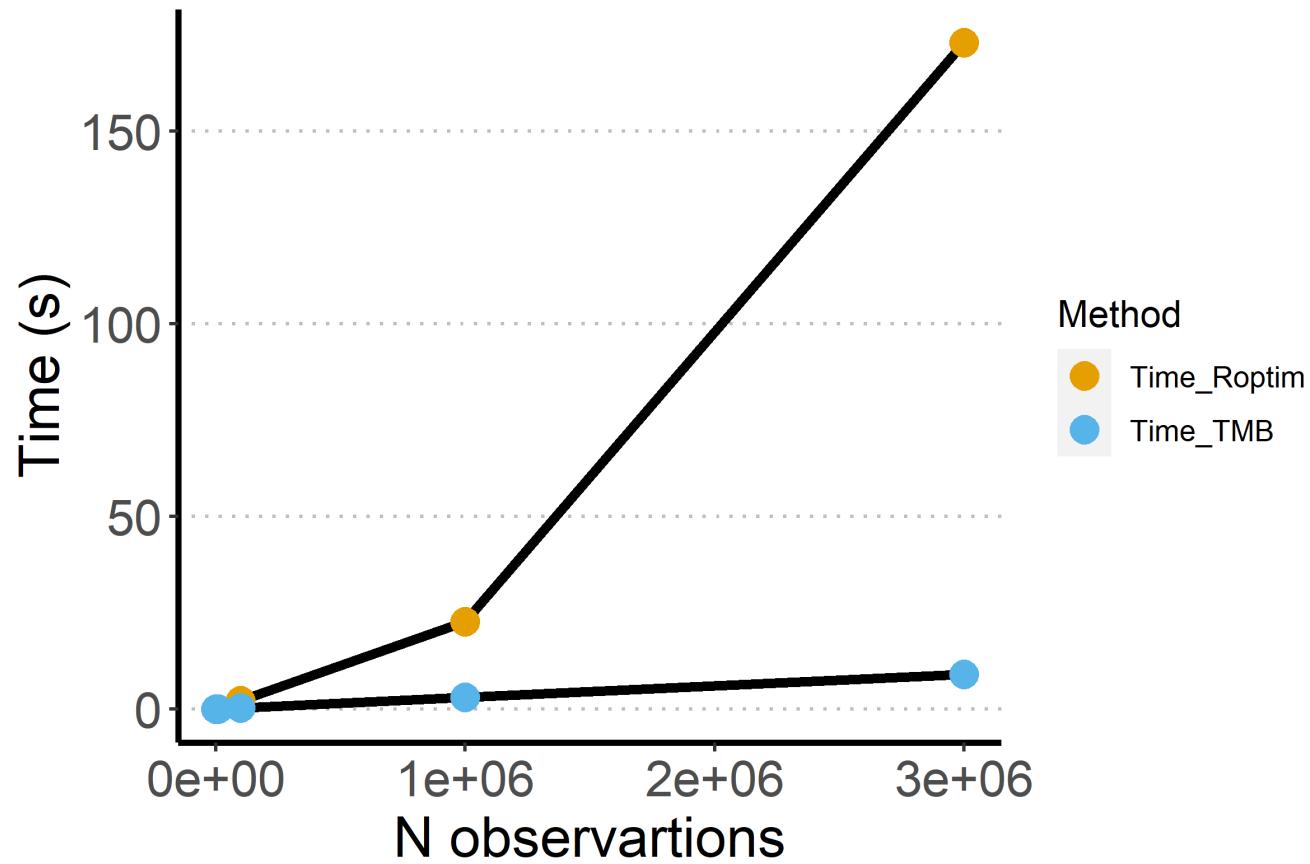
TMB_intro.R

```
> res_full2
      mu    log_sd
raw   248.1003 5.746606
lm    248.1003 5.746606
Roptim 248.8162 5.746172
TMB   248.1003 5.746106
```



Template Model Builder (TMB)

Computation time



Template Model Builder (TMB)

Additional stuff

- Additional examples in *TMB_intro.R* (lm with covariates, and LMM)
- Comprehensive TMB documentation:
http://kaskr.github.io/adcomp/_book/Introduction.html



3

LGNB-SDM tutorial

LGNB tutorial

Structure

- *LGNB.cpp*
- *LGNB_Rmodel.R*
- *Validation_and_Residuals.R*
- *utilities.R*



github.com/mcruf/LGNB

